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Ab-initio studies of advanced multifunctional materials

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Plan of the talk

- Introduction
- Theoretical methods
- Applications
 - (i) Diluted magnetic semiconductor for semiconductor spintronics
 - (ii) Graphene
- Summary



Computational materials science (analysis and prediction)

Materials properties from ground state energy

Density Functional Theory (Walter Kohn, Noble Prize, 1998)

Total energy is a functional of density of electrons, $E[n]$
Explicit dependence of wavefunction avoided

Ab-initio theory - no adjustable parameters
(only input for structure and atomic species)

Computational challenge:

Modeling of large systems with many atoms in the unit cell

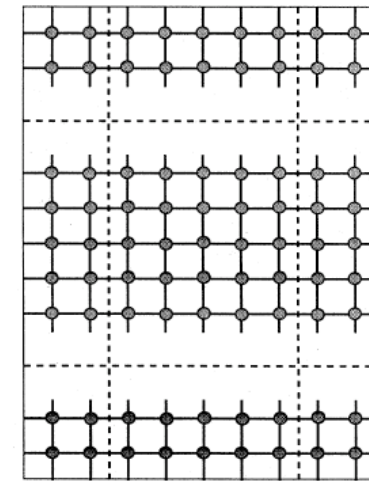
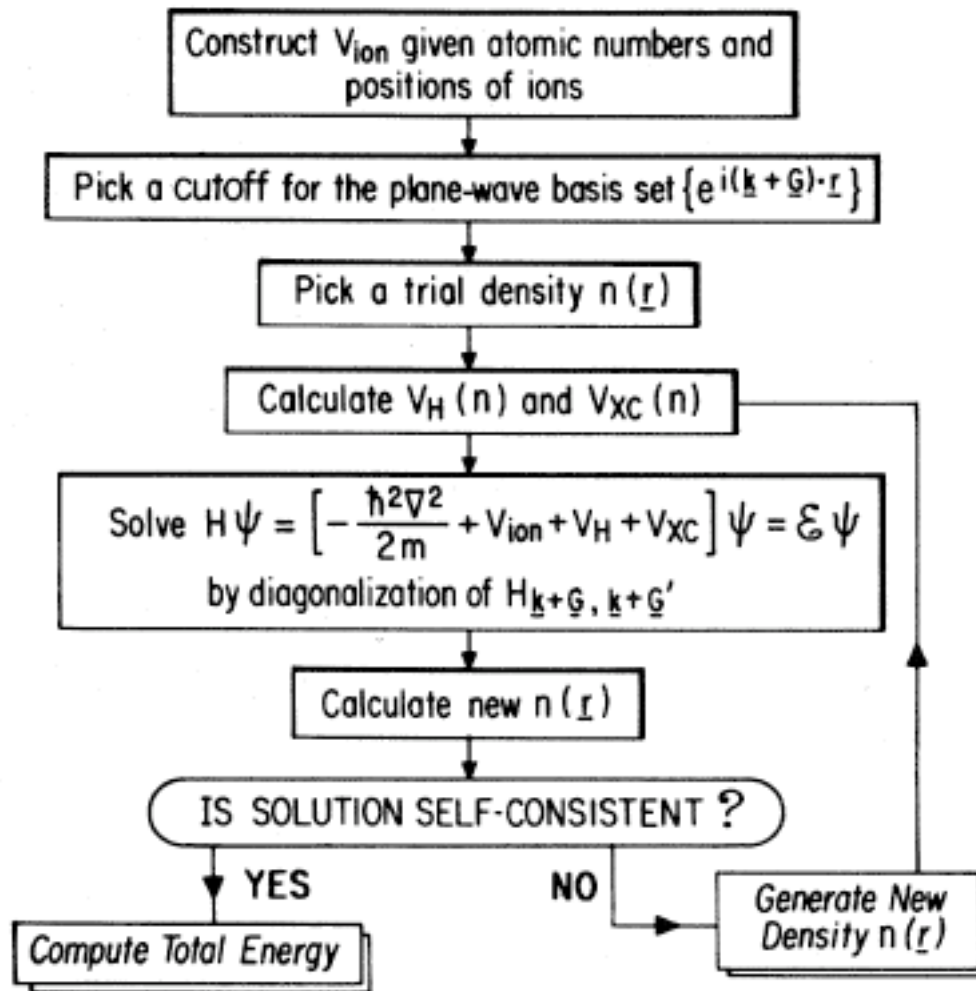
Accuracy: convergence with respect to k-points in the Brillouin zone, basis set size

Parallel implementation with MPI, large memory requirement

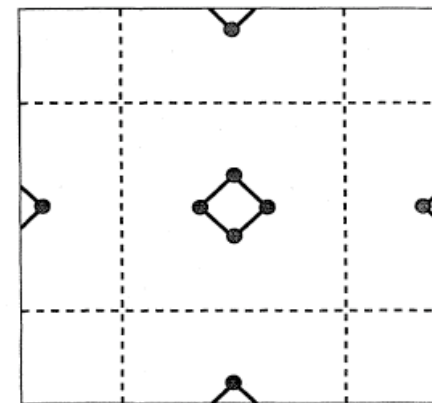
Multiscale modeling combining different length and time scales



Self-consistency procedure



Surface



Molecule



First principles modeling

1. Plane wave Projector Augmented Wave calculations (VASP): structural relaxations, clusters, total energy calculations of supercells (ordered system)
2. (a) Korringa-Kohn-Rostoker-Coherent Potential Approximation (KKR-CPA) calculations: disorder averaging, calculation of Heisenberg pair-exchange parameters using methodology of Liechtenstein *et al.*

$$H = - \sum_{i \neq j} J_{ij} \vec{e}_i \cdot \vec{e}_j$$

$J_{ij} > 0$ (ferromagnetic)

< 0 (antiferromagnetic)

- (b) Monte-Carlo simulations including disordered spins: magnetic percolation due to disorder

Metropolis algorithm

Determination of Curie temperature by the cumulant-crossing method

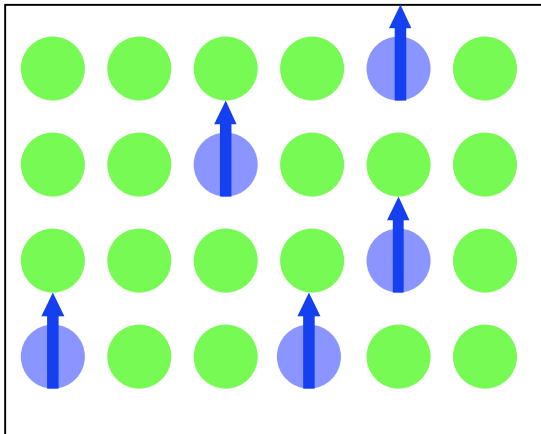
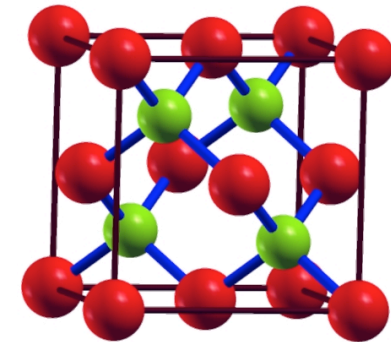
3. Atomistic spin dynamics simulations (magnetization dynamics)



Semiconductor spintronics

Diluted magnetic semiconductors

Magnetic elements (Cr, Mn, Fe, Co) doped in semiconductors



- Simultaneous properties of semiconductors and ferromagnets
- III-V DMS (Mn doped GaAs), II-VI DMS (Co doped ZnO)
- Manipulation of charge carriers by doping, electric field etc.
- Defects are obstacles
- Growth condition is crucial (often inhomogeneous distribution of dopants as well as formation of secondary phases)

Appl. Phys. Lett. **89**, 212502 (2006)

Phys. Rev. B **74**, 235208 (2006)

Phys. Rev. B **68**, 205210 (2003)

J. Appl. Phys. **103**, 07D131 (2008)



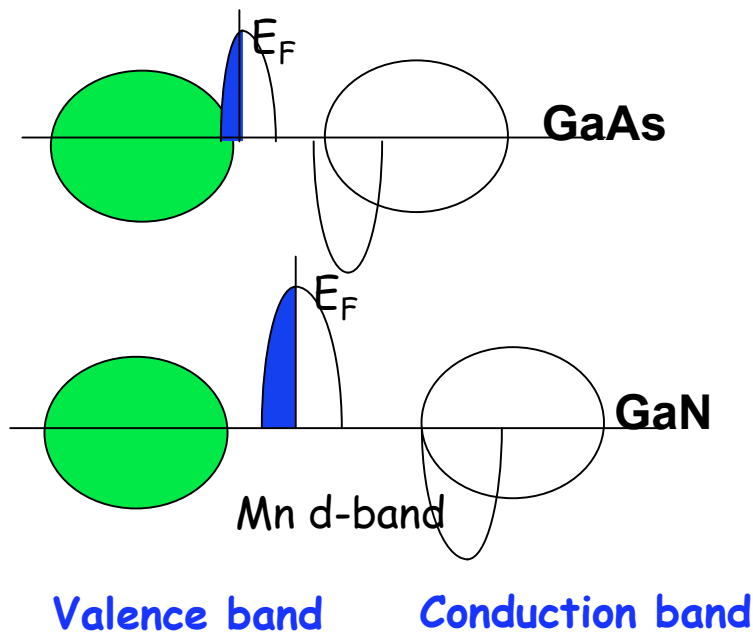
Complexities in DMS materials

- How do spins interact ?
- How do defects control the properties ?
- How can we increase the ordering temperatures (T_C) ?
- How do the electron-electron correlations affect the electronic and magnetic properties ?

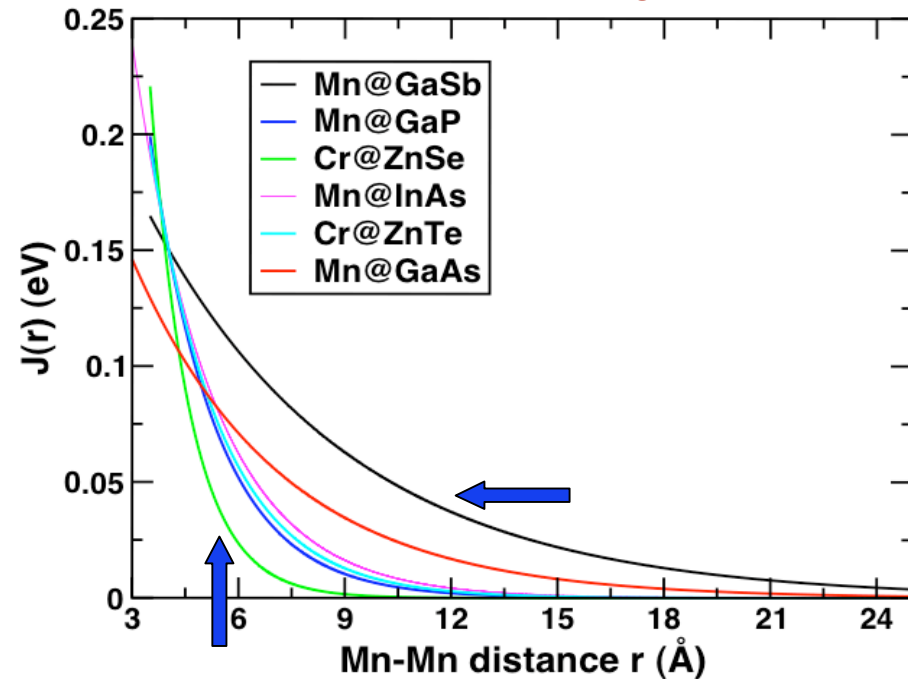


Electronic structure and magnetic interaction

Electronic structure



Interaction between magnetic atoms

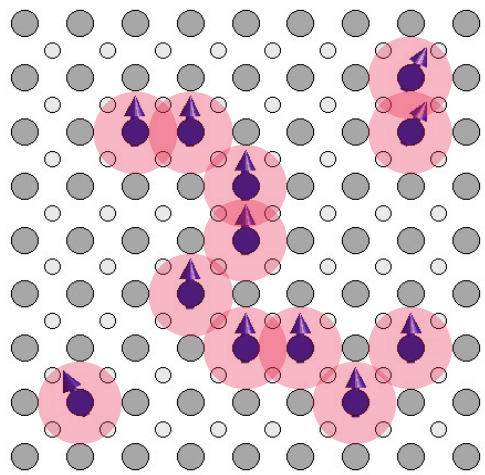


- Electronic structure and magnetic interaction are material-specific
- Correctly captured by ab-initio simulations

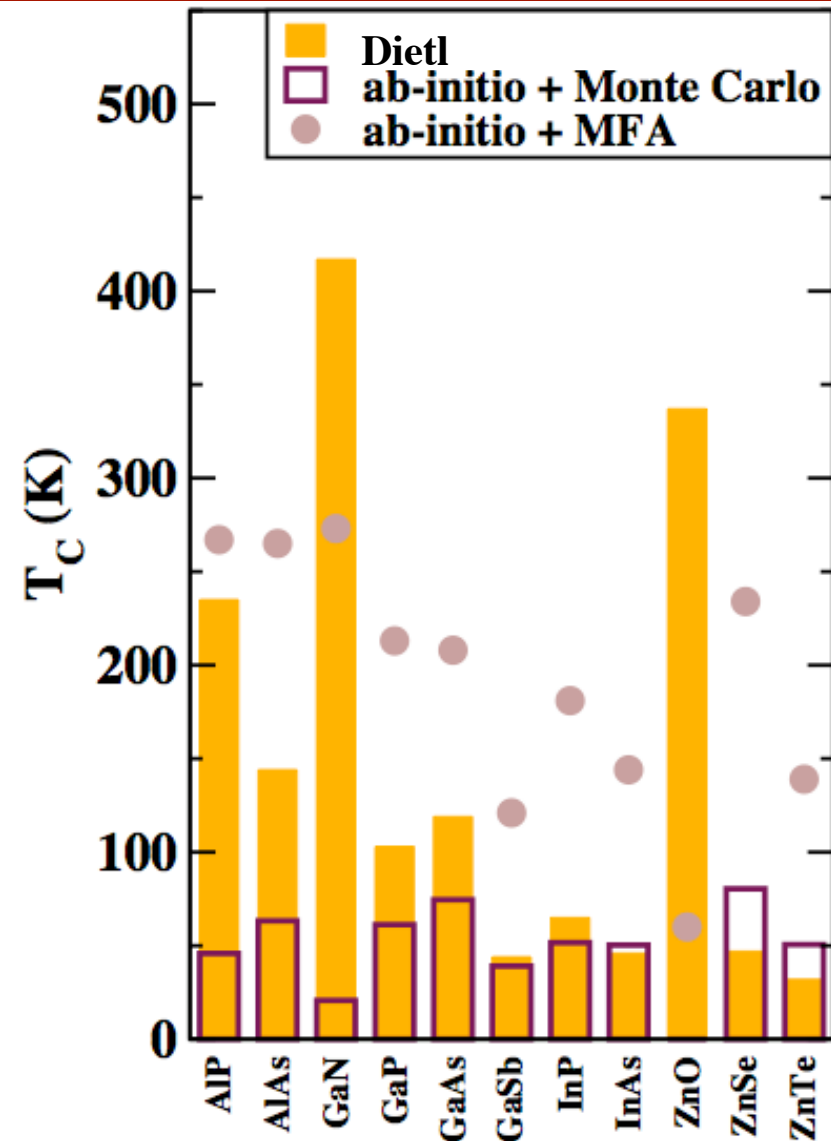
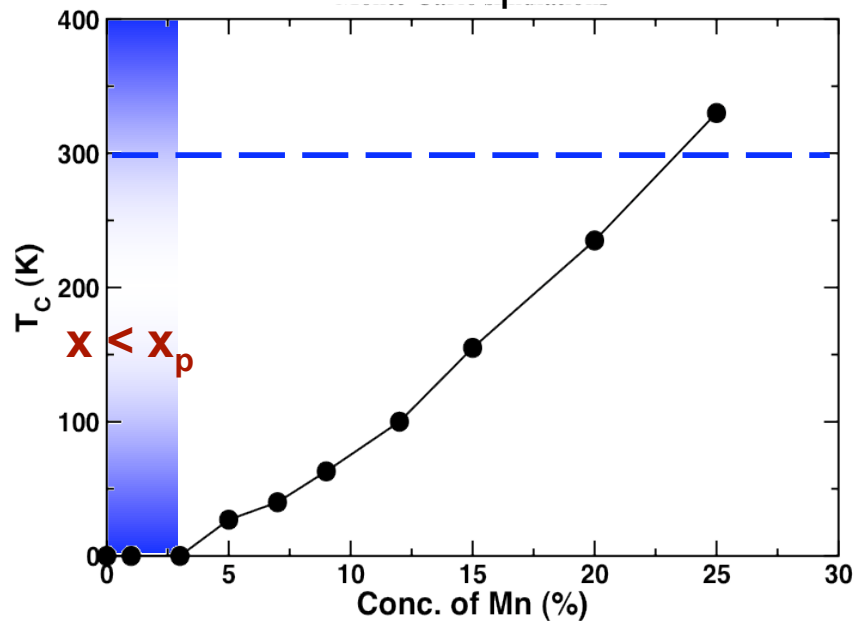


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Magnetic percolation & T_C (Monte-Carlo Simulations)



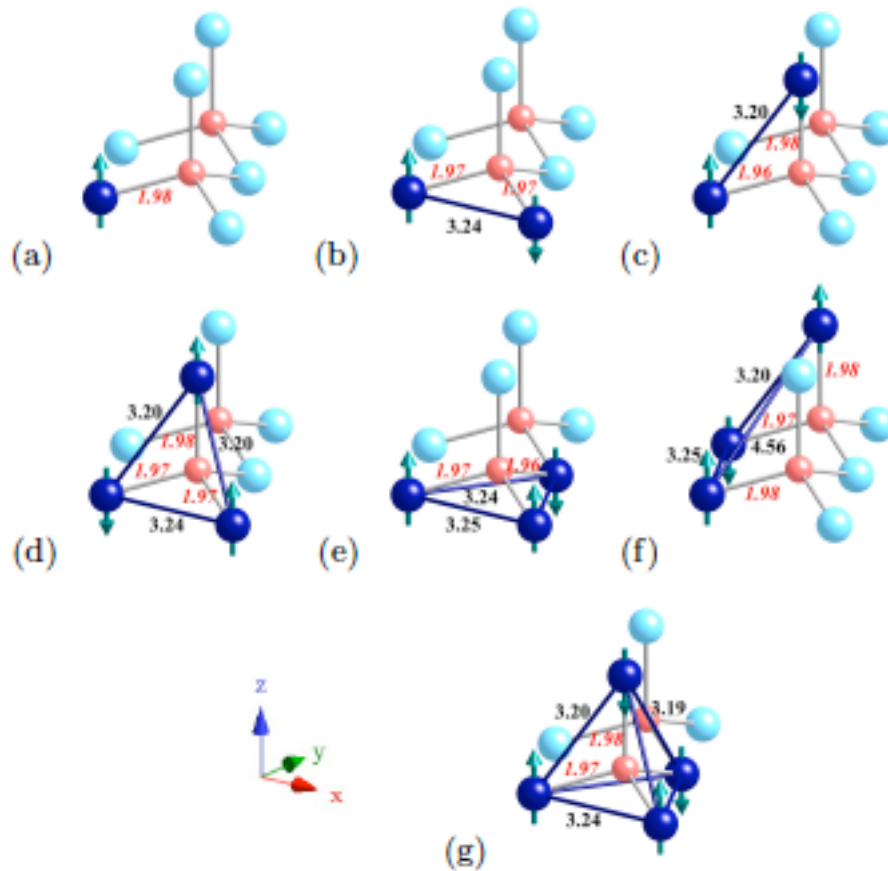
Mn doped NiTiSn



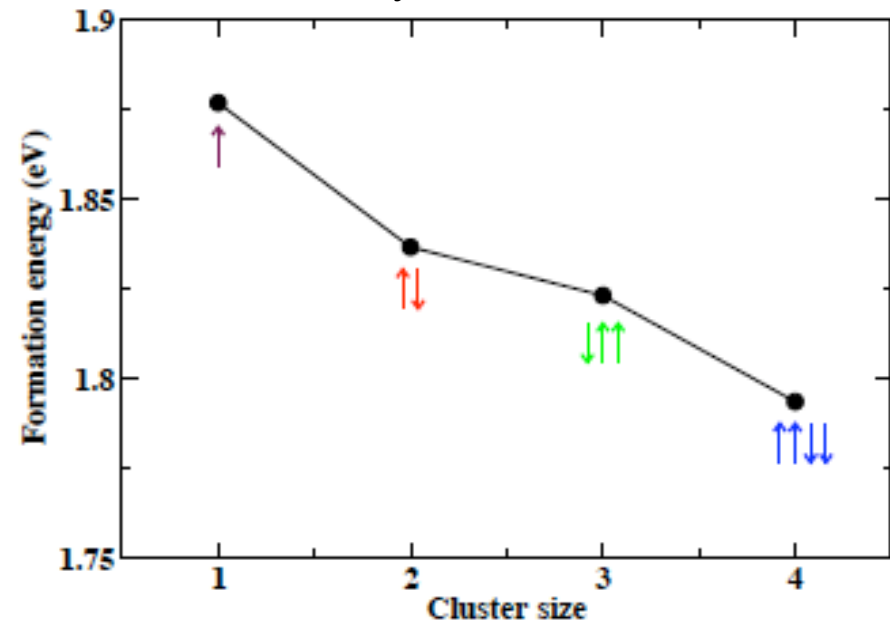


Co doped ZnO: microscopic picture

Chemical and magnetic structure

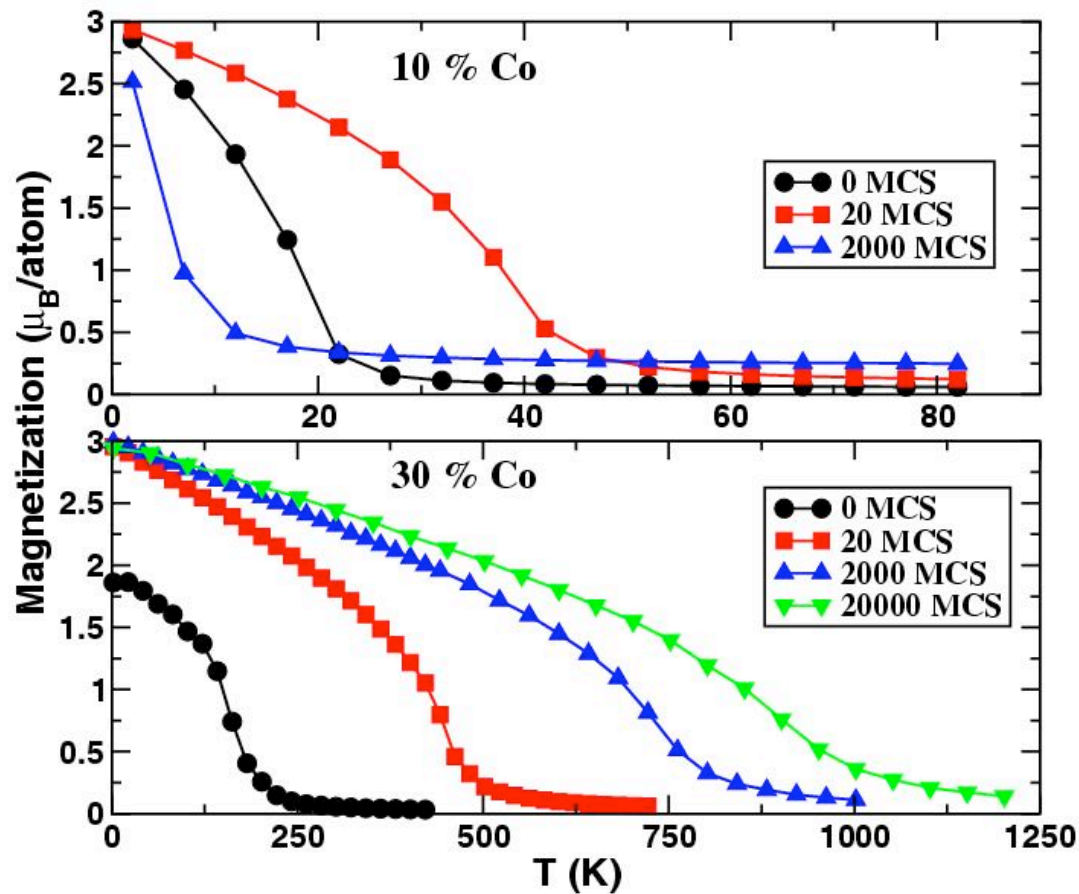


Probability of cluster formation

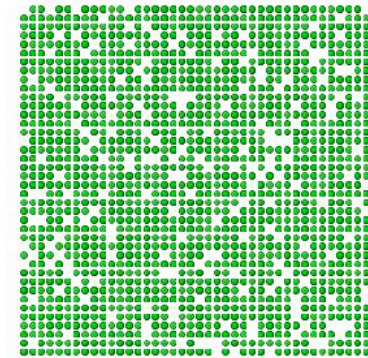




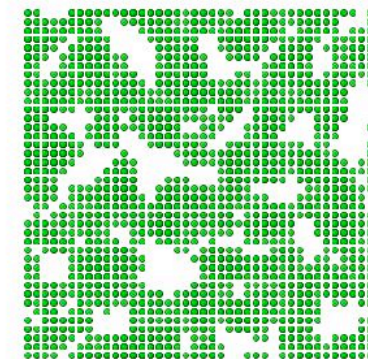
Inhomogeneties & Magnetism Co doped ZnO



10 % Co



Initial distribution



After 2000 MCS



Atomistic spin dynamics

Equation of motion

$$\frac{d\mathbf{m}_i}{dt} = -\gamma \mathbf{m}_i \times [\mathbf{B}_i + \mathbf{b}_i(t)] - \gamma \frac{\alpha}{m} \mathbf{m}_i \times (\mathbf{m}_i \times [\mathbf{B}_i + \mathbf{b}_i(t)])$$

Effective field

$$\mathbf{B}_i = -\frac{\partial H}{\partial \mathbf{m}_i}$$

$\mathbf{b}_i(t)$: Stochastic magnetic field

α : damping parameter

γ : electron gyromagnetic ratio

Exchange part (classical Heisenberg)

$$H_{ex} = -\frac{1}{2} \sum_{i \neq j} J_{ij} \mathbf{m}_i \cdot \mathbf{m}_j$$

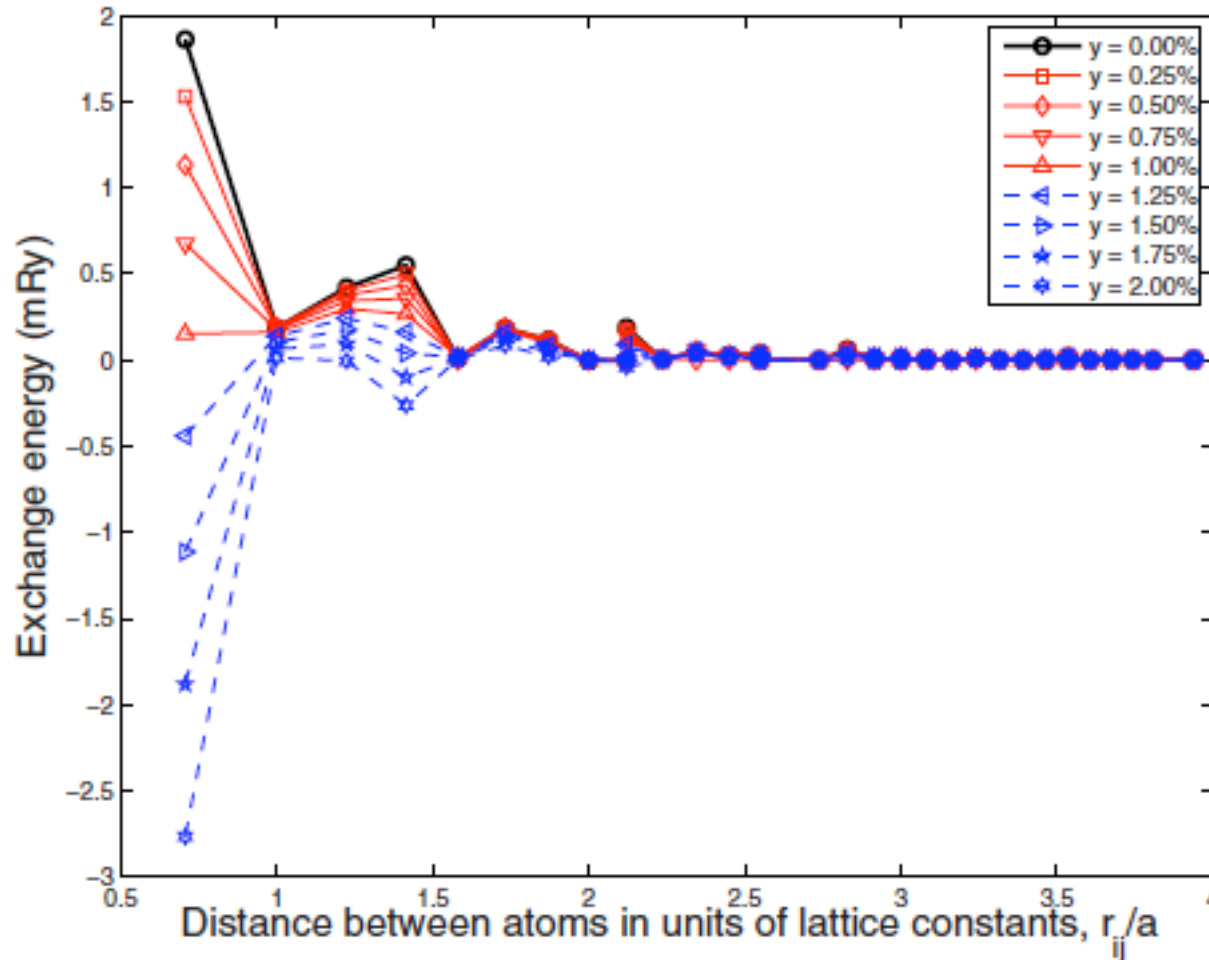
Skubic *et al.*, J. Phys: Condens. Matt. **20**, 315203 (2008)

Atomistic spin dynamics webpage: <http://www.fysik.uu.se/cmt/asd>



Exchange interactions (Mn doped GaAs, As antisites)

TB-LMTO-CPA calculations (Kudrnovsky et al.)



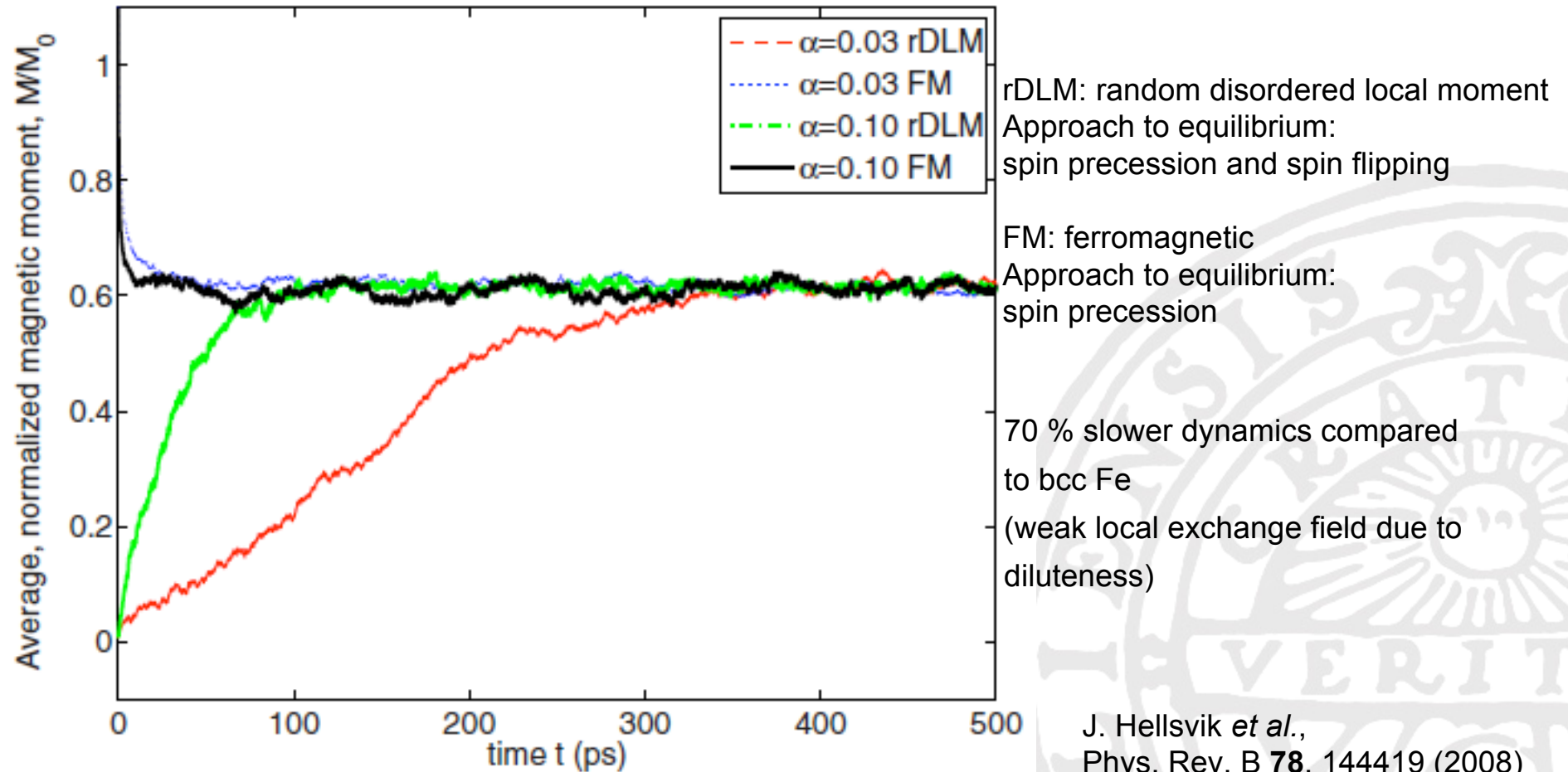
Ferromagnetic to
antiferromagnetic exchange
Interaction in presence of As
antisites (double donor, hole
killing)

Anisotropic exchange
(strong in (110) direction)



Dynamics of magnetization

$L=40$, $T = 100\text{K}$, As antisite conc. 0.25 %





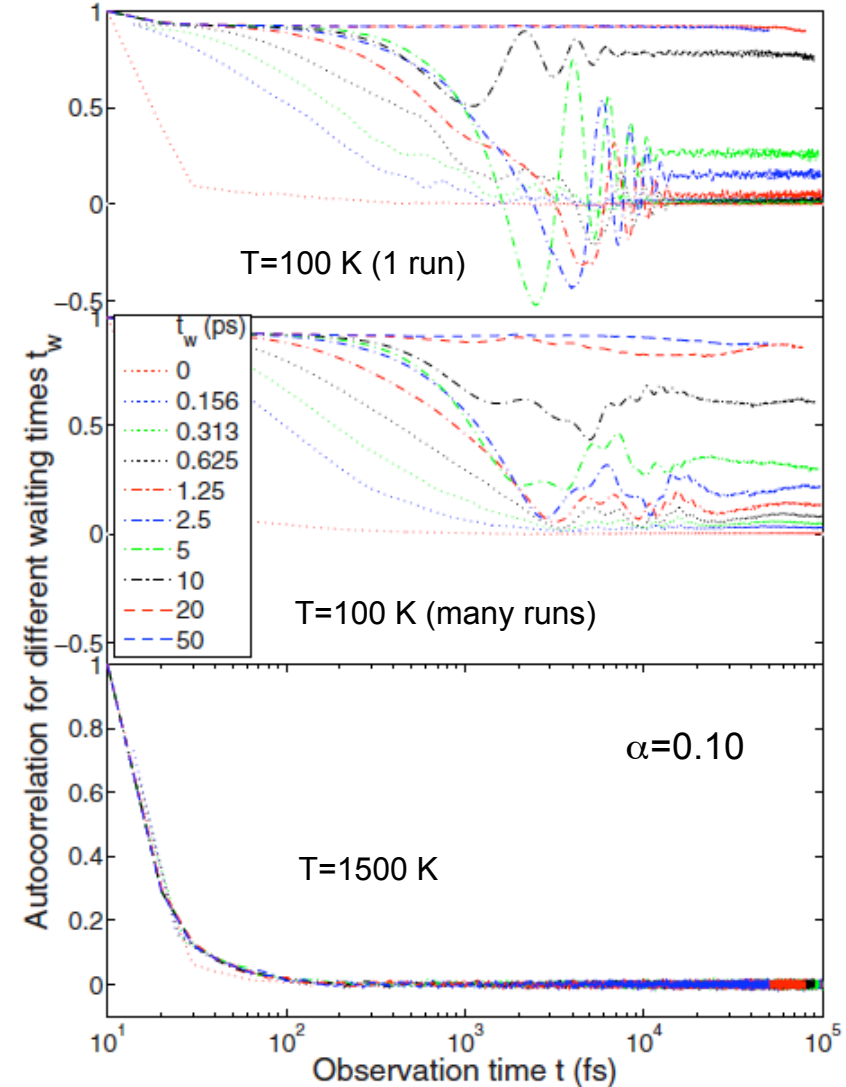
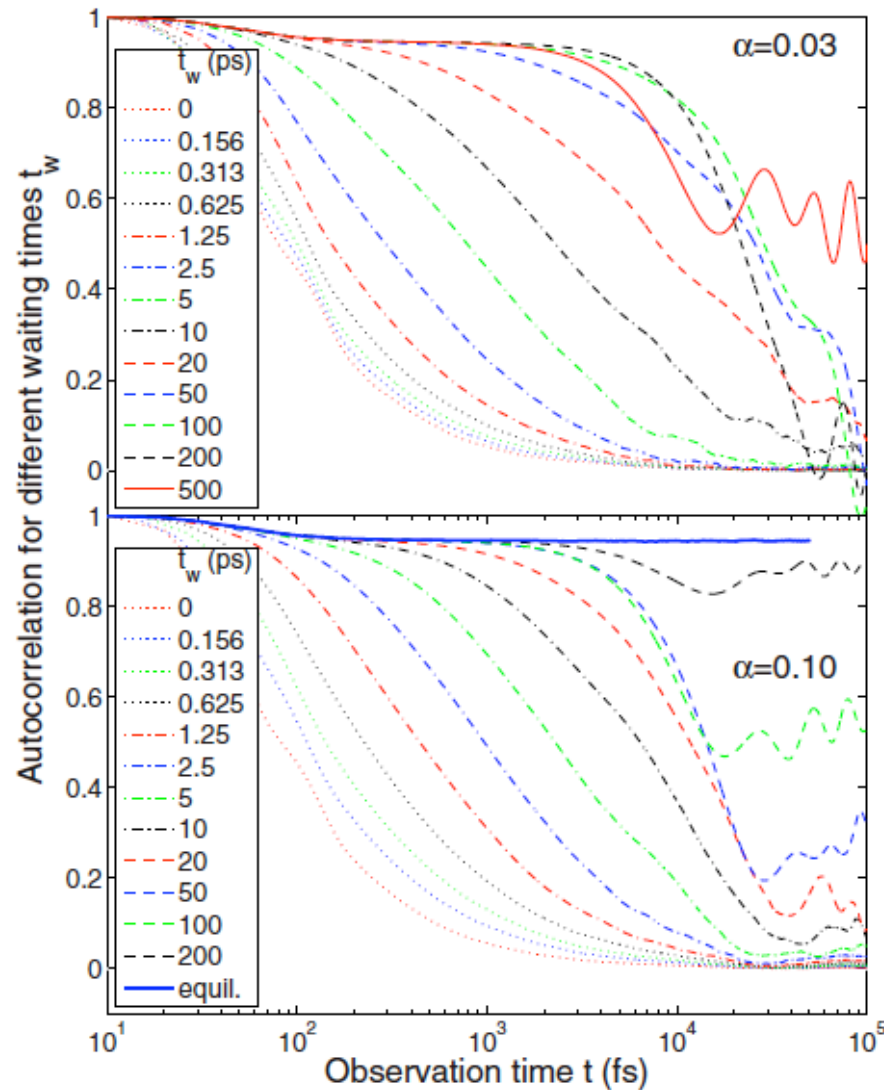
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Is MnGaAs a spin glass ?

MnGaAs (0.25 % As antisite)

$$C_0(t_w + t, t_w) = \langle m_i(t_w) \cdot m_i(t_w + t) \rangle$$

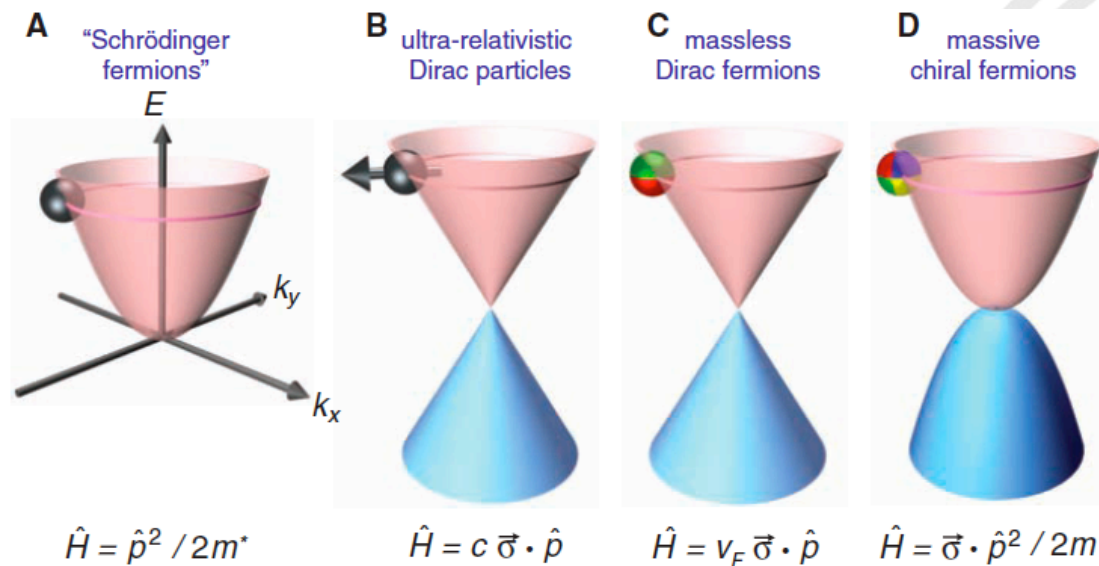
Bcc Fe





Exotic properties of graphene

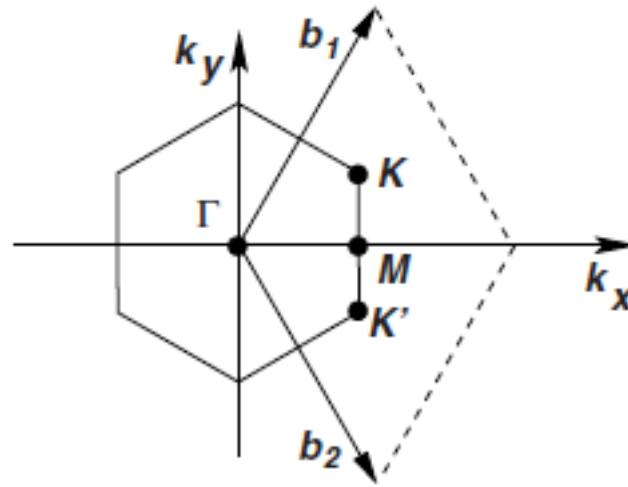
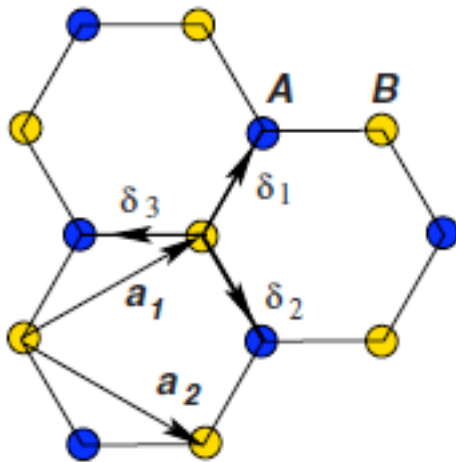
- Existence of 2D crystal
- Similarity to QED (pseudospin & chirality) , massless Dirac Fermions
- Ambipolar electric field effect
- High mobility (almost independent of temperature)
- Anomalous quantum Hall effect
- Minimum quantum conductivity
- Applications: microprocessors, composites, hydrogen storage, gas-sensors, batteries, quantum computation,



Science **324**, 1530 (2009)



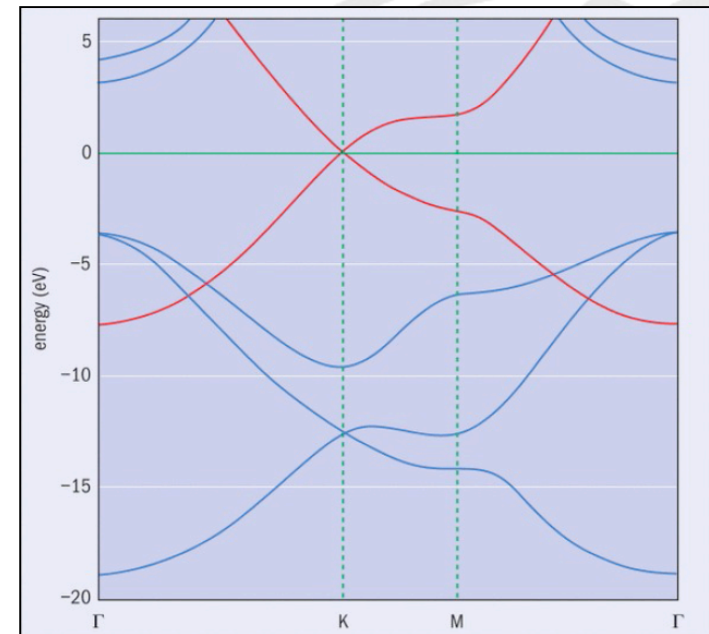
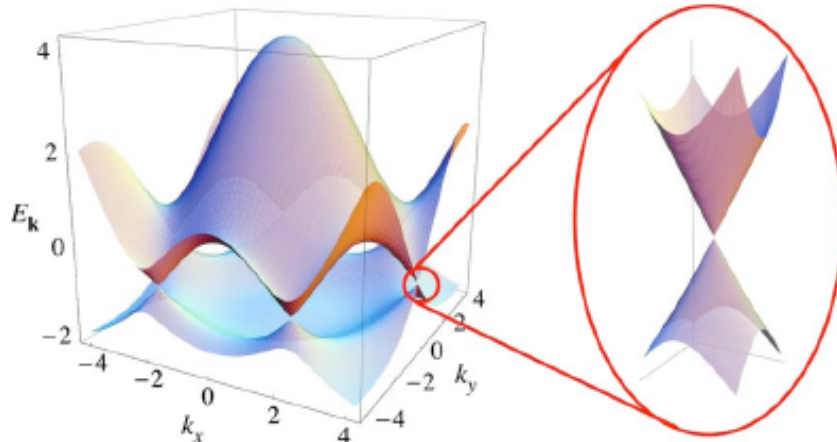
Electronic structure



Linear dispersion around
 $E=0$ at K, K' (Dirac) pts.

$$E = \hbar v_F k$$

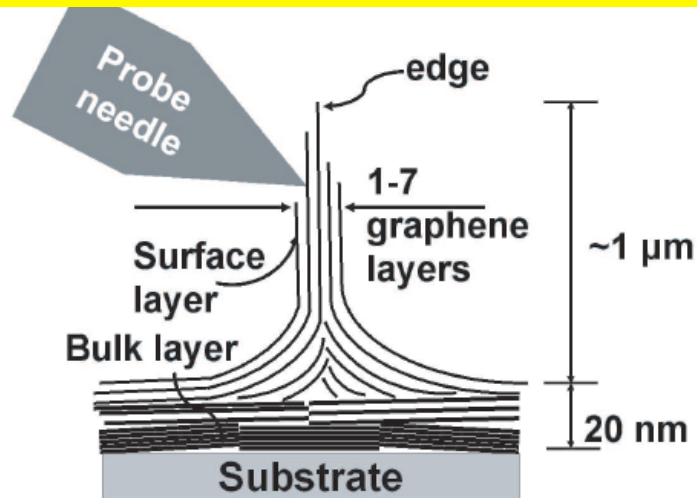
$$v_F = c/300$$





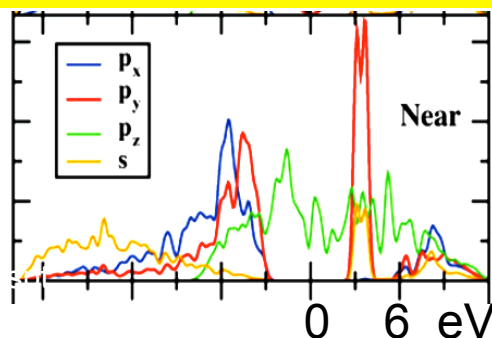
XAS on carbon nano-sheets

Schematic diagram of experiment



RF plasma-enhanced CVD -->
introduction of defects by HCl treatment

DOS at neighborhood

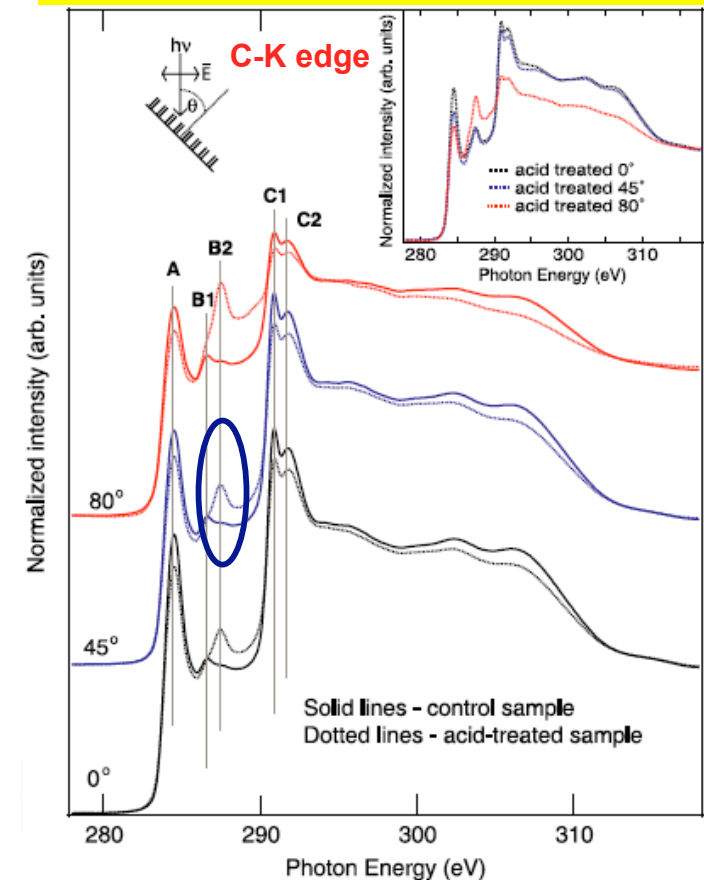


A -> π^*

B1, B2 -> defect

C1, C2 -> σ^*

X-ray absorption spectroscopy

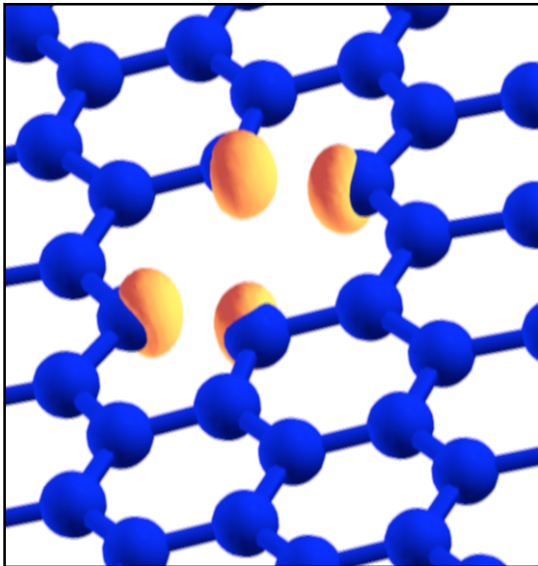


Coleman et al., J. Phys. D: Appl. Phys. **41**, 062001 (2008)

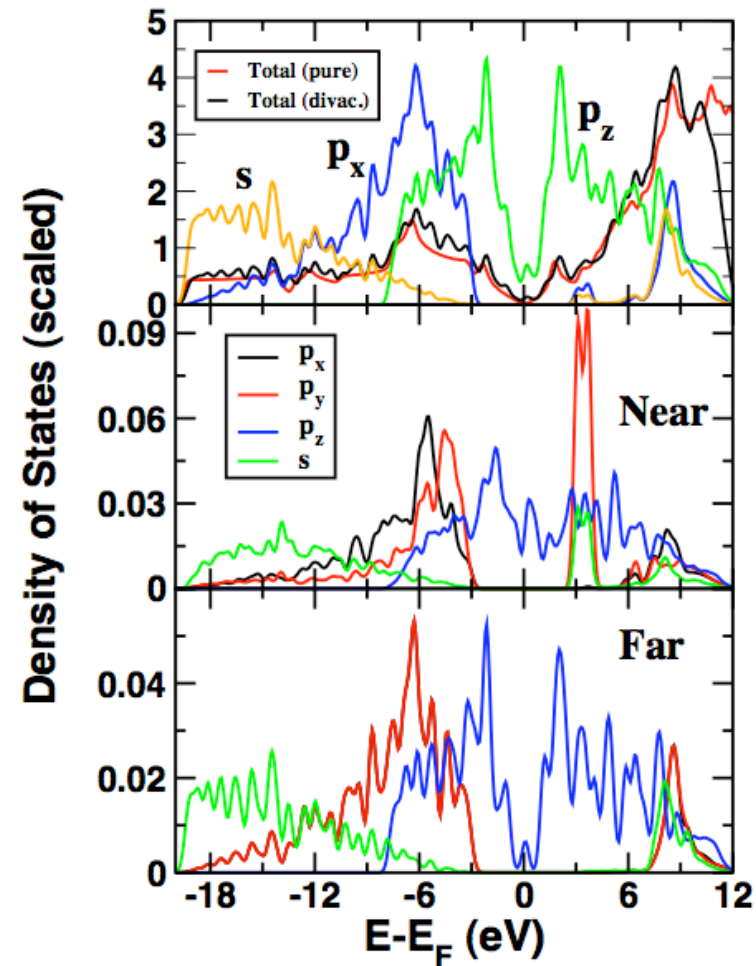


Graphene with a divacancy

DFT supercell calculations



Defect induced peak in DOS
of in-plane σ^* character
Increased DOS at Fermi level

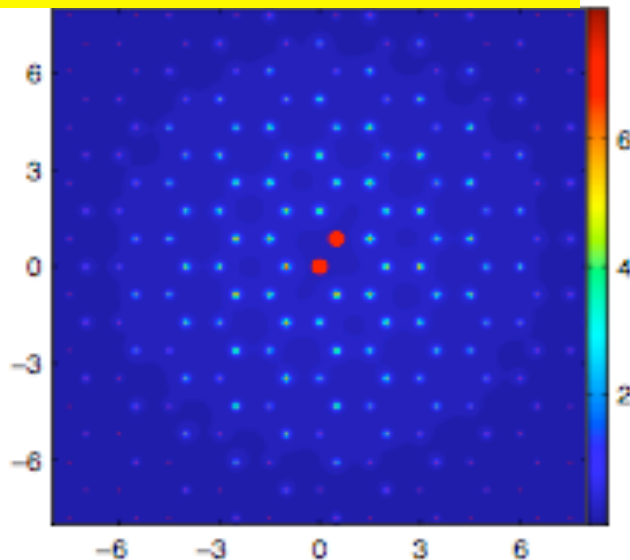


Coleman et al., J. Phys. D: Appl. Phys. **41**, 062001 (2008)



Metallicity due to divacancy defects

Charge density distribution



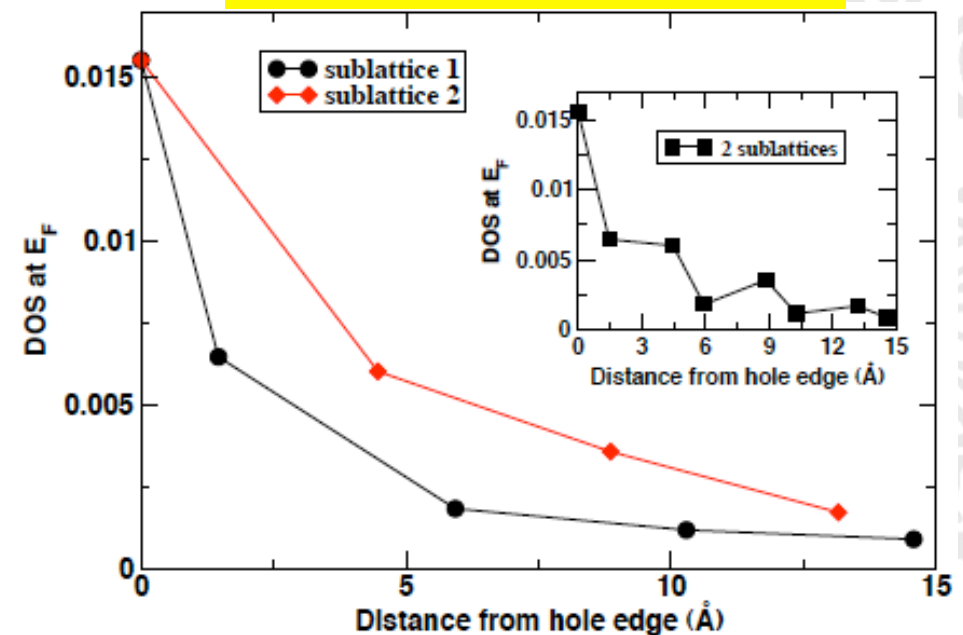
DFT-GGA
supercell calculations
(1.6 % vacancy)
Metallicity extends over
a large distance

Tight-binding Green's function calculations

Perturbed LDOS due to a vacancy at sublattice A

$$\delta N_B(r, E) = \frac{J_0^2(k_F |r - r_A|)}{4\pi\rho v_F^2} \text{Im} \frac{(2D + i\pi)^2}{E[2\log(D/|E|) + i\pi]}$$

Metallic electronic structure

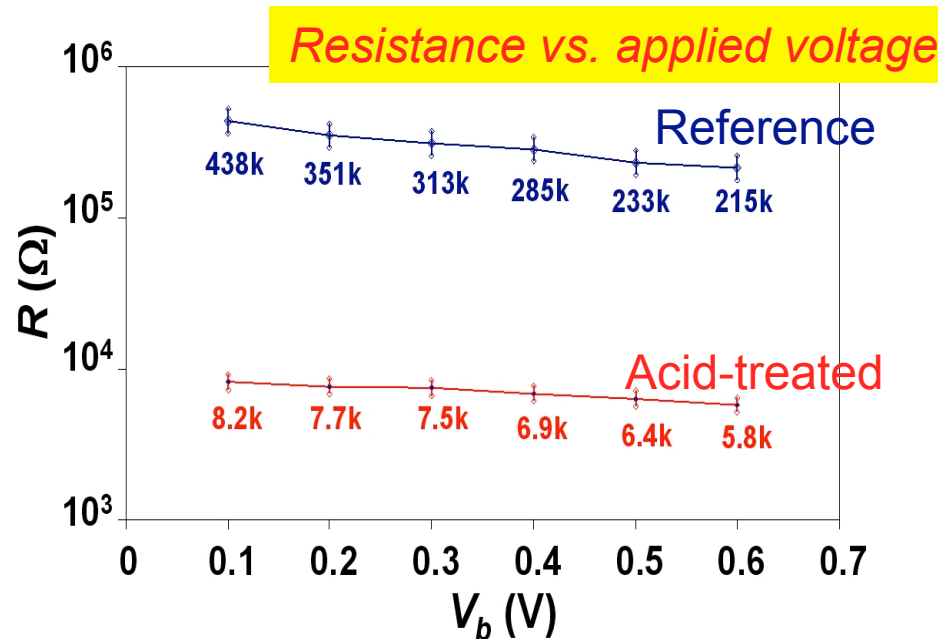




Engineering of defects

Controlling transport properties

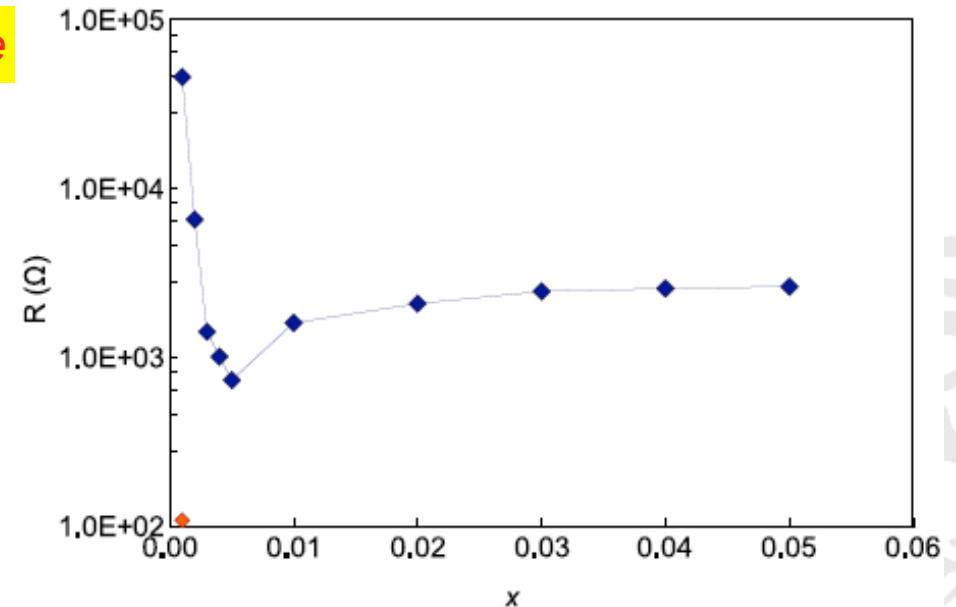
Experiment



With chemical treatment, 50 times decrease in resistance is observed.

J. Phys. D: Appl. Phys. (submitted)

Theory



TB-LMTO-ASA + CPA, Kubo linear response

Conductivity increases with vacancy concentration (metallicity due to mid-gap states)
For higher vacancy conc., conductivity decreases due to extra scattering



Summary

- Quantum mechanical modeling of materials is very important for the understanding of properties in an atomic scale.
- Magnetic percolation effects are crucial for establishing long ranged magnetic order in diluted magnetic semiconductors due to short-ranged exchange interactions and chemical disorder. Theory explains the wide variation of ordering temperatures observed in different experiments.
- Vacancy defects give rise to mid-gap states at the Fermi level in graphene. A long-ranged metallicity occurs. Transport measurements show a 50 times increase in conductivity with chemical treatment that produces defects. Ab-initio transport calculations show an increase in conductivity in presence of vacancies.

Thanks to :

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