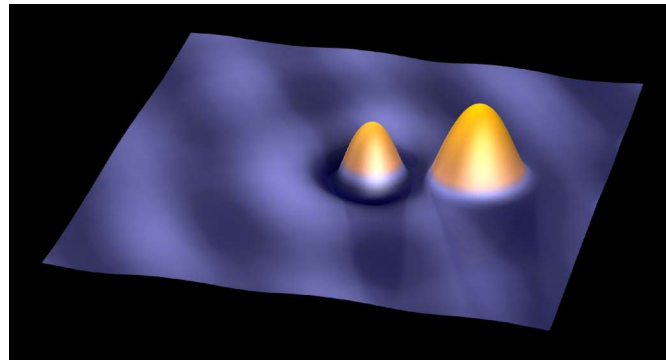
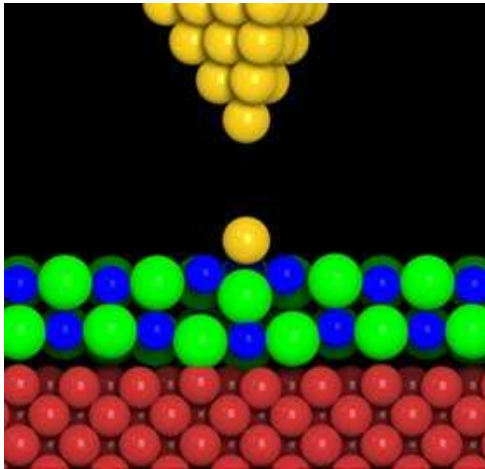


Theory of Control of Matter on the Atomic Scale



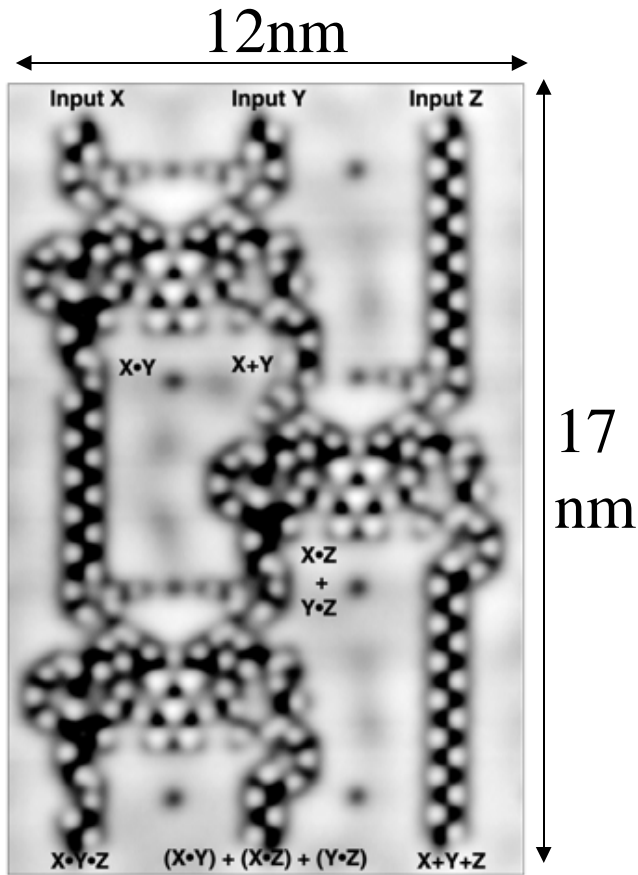
Mats Persson,

*Dept. of Applied Physics, Chalmers, Göteborg,
SWEDEN*

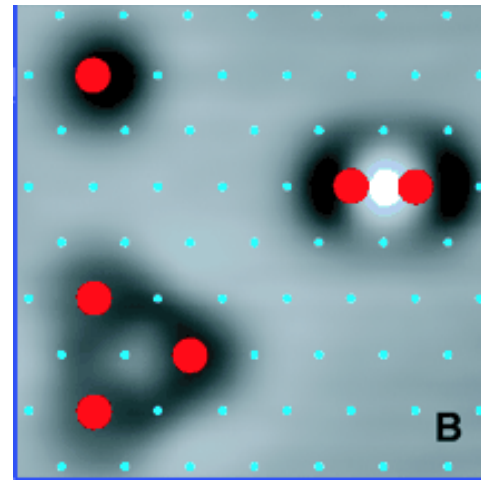
Introduction and Outline

- The ultimate limit of engineering materials involves control of matter on the atomic scale : imaging, characterization and manipulation by scanning tunneling microscope (STM)
 - Example of molecular device (nanomachine)
- To fully exploit these unique capabilities of the STM one needs theory and modelling
 - STM images
 - Vibrational inelastic tunneling
 - Charge control of adatoms

Example of Molecular Nanomachine: Three-Input Sorter*



Function by molecular cascades
of 512 CO molecules on Cu(111)



* Heinrich *et al.*, Science **298**, 1381 (2002)

Scanning Tunneling Microscope: Control of Matter on the Atomic Scale

”The Three Pillars”

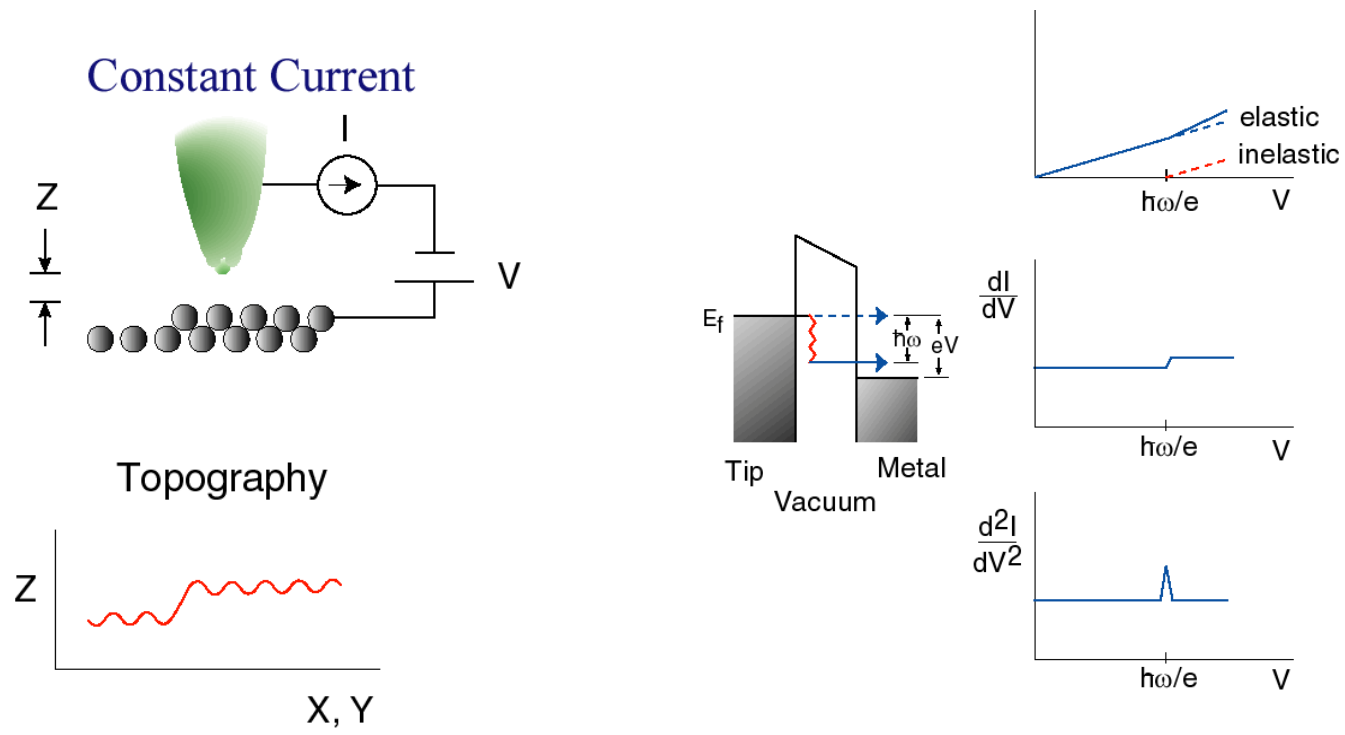
Imaging
(1983)

Characterization
(1998)

Manipulation
(1990)

From analysis and synthesis of *ensembles* of atoms to *single* atoms: *paradigm shift in (surface) science*

Elastic and Inelastic Electron Tunneling



Binnig & Rohrer, (1983)

Vibrations:
 Stipe, Rezaei, & Ho, (1998)

Theoretical and Computational Challenges

- Calculation of geometric and electronic structure of several hundreds of atoms in low symmetry configurations with useful accuracy and predictive power: density functional theory calculations
- Theory and modelling of elastic and inelastic electron tunneling

Density Functional Theory

- The total energy, E_{tot} , of the electrons and all ground state properties determined by the electron density $n(\mathbf{r})$ by minimizing:

$$E_{tot} = T_0[n] + E_{Coulomb}[n] + E_{XC}[n]$$

- All complicated exchange and correlation effects hidden in $E_{XC}[n]$
- Development of good approximations in the 90s for $E_{XC}[n]$ with useful accuracy and predictive power: Generalized gradient approx.

Walter Kohn ~ 1964, Nobel prize in Chemistry, 1998

Density Functional Calculations

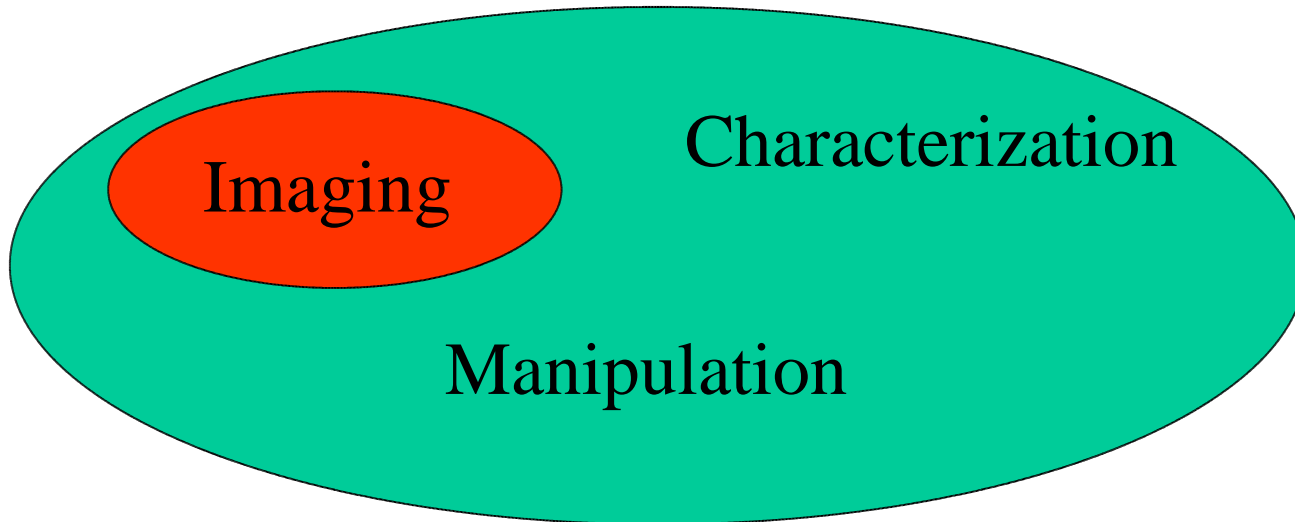
- Numerical solution of non-linear Kohn-Sham equations obtained from minimization of $E_0[n]$:

$$\left(-\frac{\hbar^2}{2m} \nabla^2 + \varphi + \text{Coulomb}(n) + v_{XC}(n) \right) \psi_i = \epsilon_i \psi_i$$

$$n(r) = \sum_{i < \epsilon_F} |\psi_i(r)|^2$$

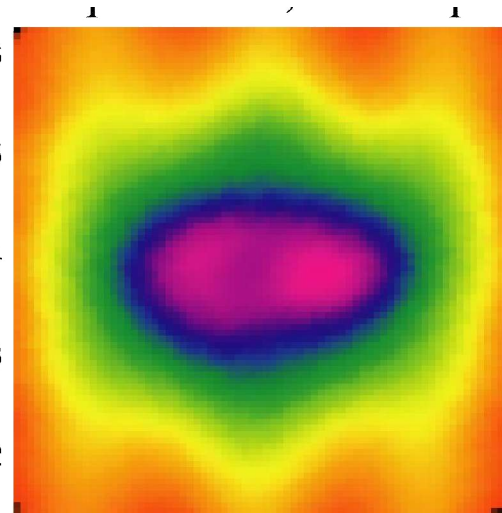
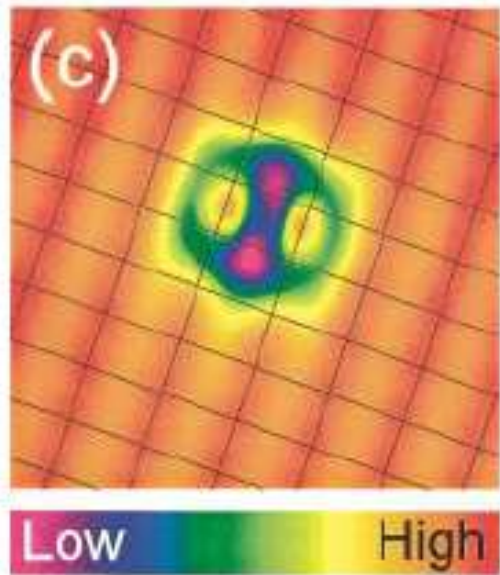
- Efficient algorithms and methods developed in the 90s so that large systems can be handled
 - e.g. Plane wave basis set, FFT, and super cell geometry
 - Iterative diagonalisation methods for lowest lying states
 - Effective valence-ion core potentials
- Exponential development of computer power

“First Pillar”



Example: STM images of O₂/Ag(110)*

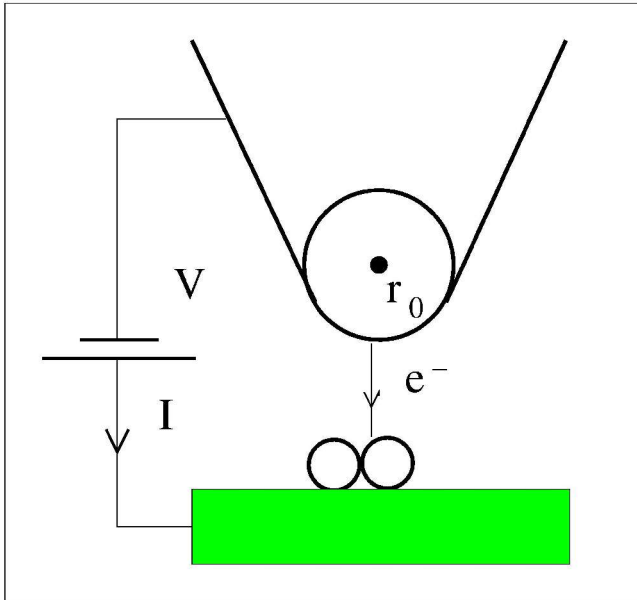
(CO-functionalized tip)



What kind of information is contained in the STM image ?

* Hahn, Lee, and Ho, Phys. Rev. Lett. **85**, 1914 (2000)

Theory: STM and LDOS images



Tersoff-Hamann approx. (1983):
(Bardeen approx. & spherical wave)

$$\frac{dI}{dV} \propto \rho$$

$$\rho(r_0, \epsilon)$$

$\rho(r_0, \epsilon)$ Local density of one-electron states

One-electron approximation (Kohn-Sham states) for LDOS:

$$\rho(r_0, \epsilon) = \sum_n |\langle r_0 | \psi_n \rangle|^2 \delta(\epsilon - \epsilon_n)$$

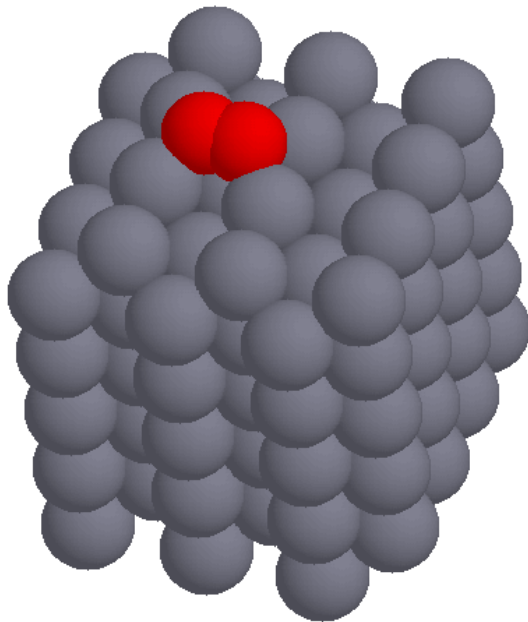
ψ_n one-electron wavefunction with energy ϵ_n

(In principle, excited state property)

Density functional theory calculations

Iterative solution of a $N \times N_k$ non-linear Schrödinger (Kohn-Sham) equations for $2N$ valence electrons in a planewave basis set of size N_{pw} in a super cell geometry sampled by N_k

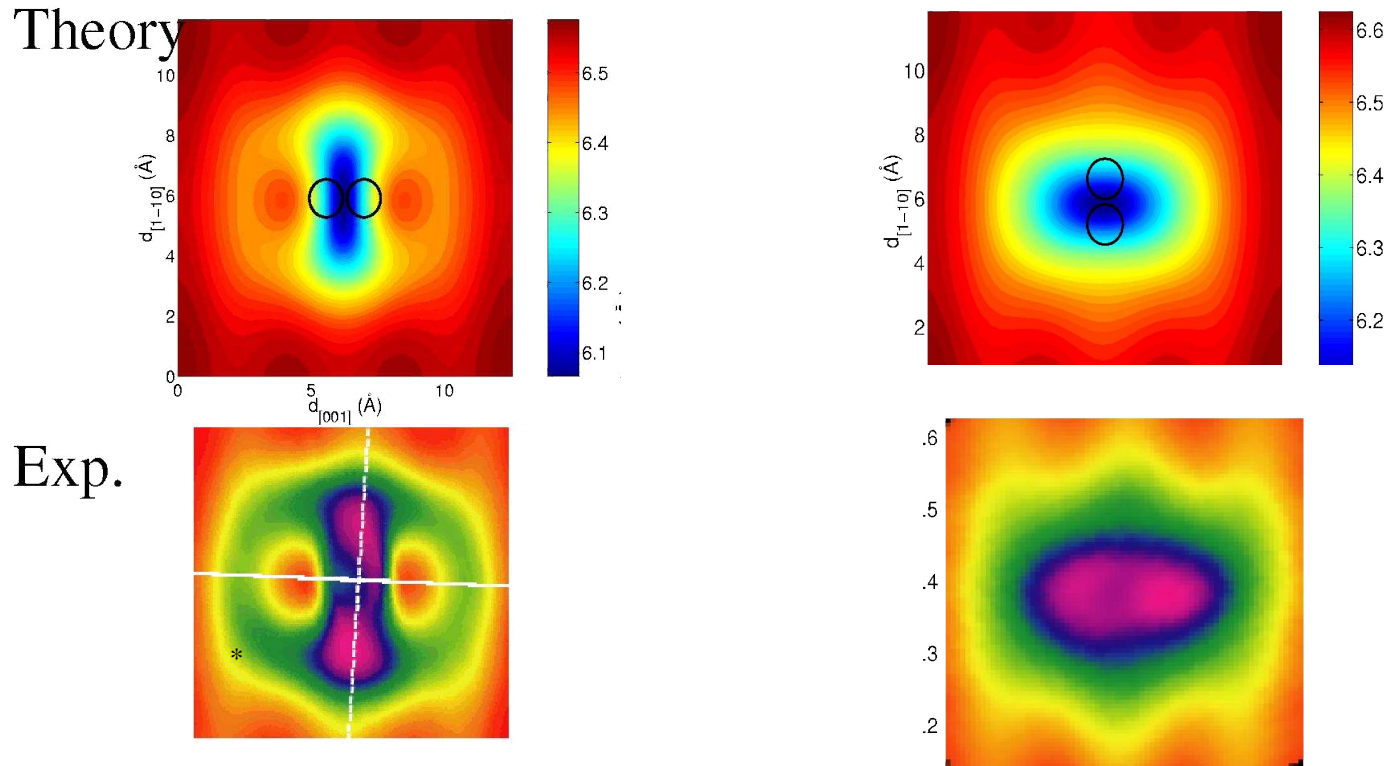
Typical size: ~ 100 atoms, $N \sim 500$, $N_{pw} \sim 20,000$ and $N_k \sim 5$ gives about 5×10^7 degrees of freedom



Total energy, force and electronic structure calculations:

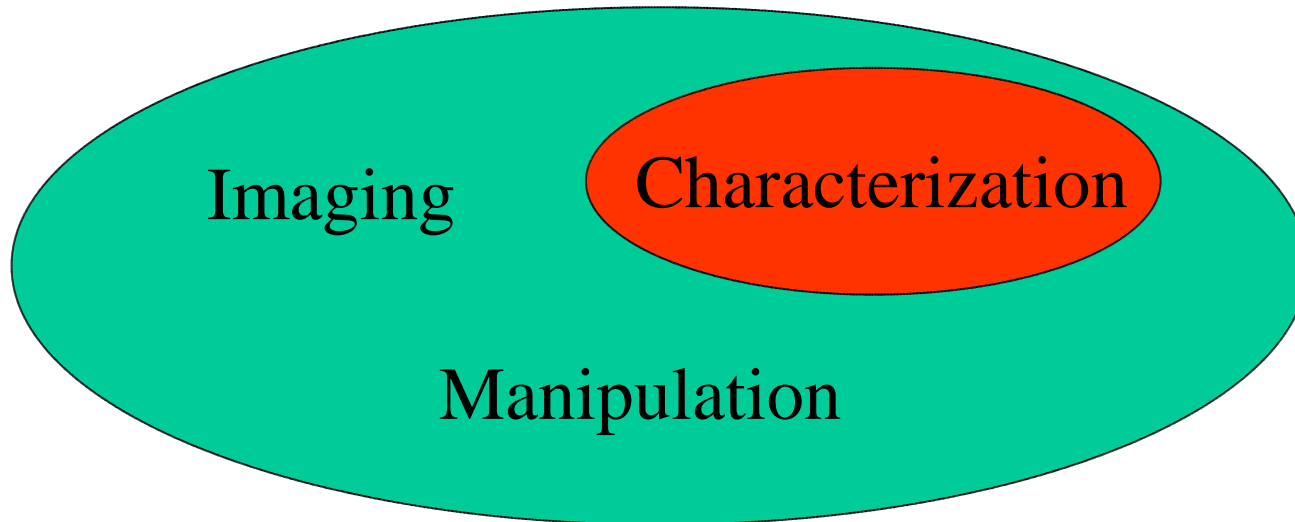
- Geometric optimization
- Energetics: Barriers,
- Vibrational frequencies
- One-electron (Kohn-Sham) wave functions

LDOS vs. STM images: O₂/Ag(110)



Protrusions derive from an anti-bonding molecular state and not from the nuclear positions

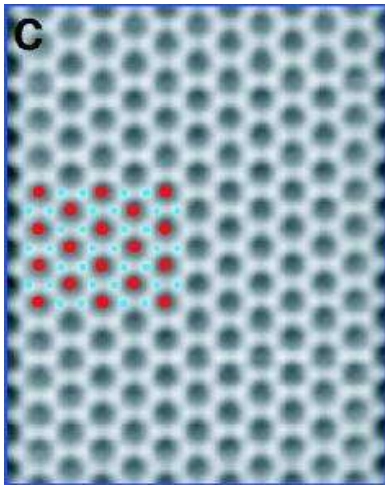
“Second Pillar”



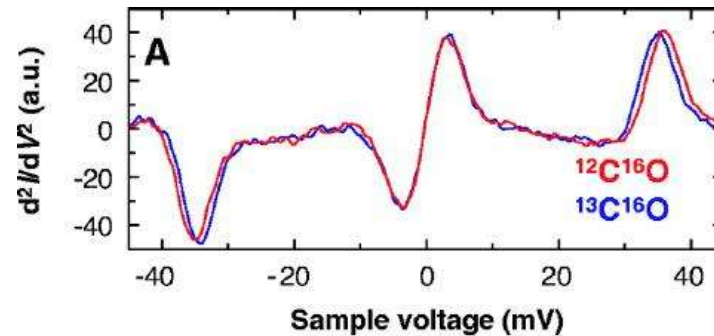
- Electron Spectroscopy by Elastic Tunneling
- Vibrational Spectroscopy and Microscopy by Inelastic Electron Tunneling

Inelastic Electron Tunneling from an Ordered CO Structure on Cu(111)*

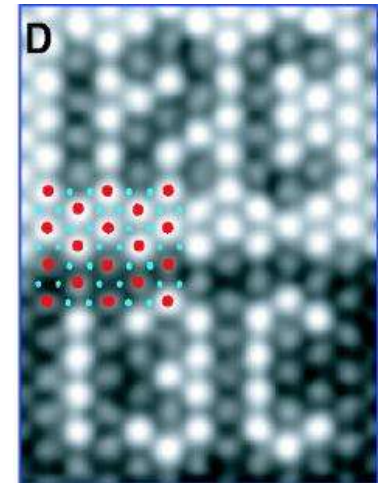
STM image



Vibrational Spectroscopy



Vibrational Microscopy



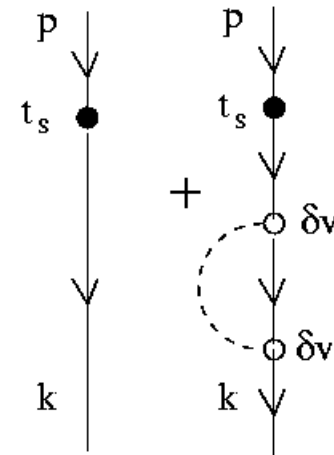
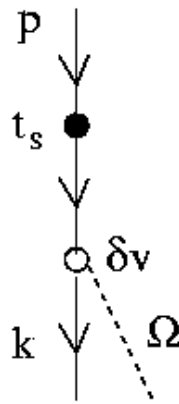
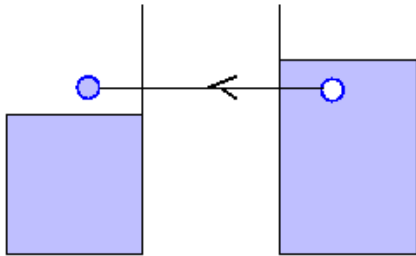
* Heinrich, Lutz, Gupta & Eigler, Science **298**, 138 (2002)

Generalized Tersoff-Hamann Approx. for IET

Going beyond the Born-Oppenheimer approx.

Inelastic channel

Elastic channel



Fermi exclusion principle in final states and intermediate states results in a threshold at bias $V = h\Omega/e$ for both elastic and inelastic tunneling

$$\frac{dI}{dV} \propto \rho$$

$$(r_0, \epsilon)$$

$$f^{\pm eV}$$

LDOS of electrons interacting with vibration

IET-LDOS intensities*

IET signal:

$$\frac{d^2 I}{dV^2} \bigg|_{dV} \approx n \left| \langle r_0 \rangle \delta(V - \hbar\Omega/e) \right|$$

Broadened by temperature (Fermi level smearing), modulation voltage, and vibrational lifetime

Spatially dependent parameters:

$\langle r_0 \rangle \delta\psi$
) linear response to vibration with amplitude $\delta\psi = \sqrt{\hbar/2M\Omega}$

Total strength: n
 $\langle r_0 \rangle = n$
 $\langle r_0 \rangle = n$
 $\langle r_0 \rangle$

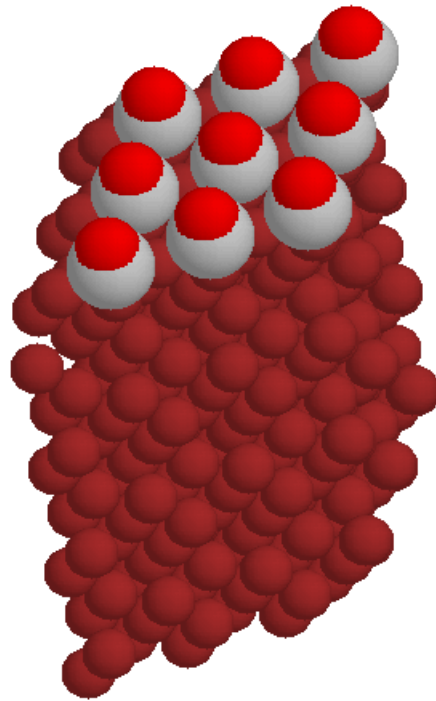
Inelastic: n
 $\langle r_0 \rangle = \sum_{\nu} \langle r_0 \rangle \delta\psi$
 δ
 ϵ
 $-\epsilon$
 ρ
 ν_1

Elastic: n
 $\langle r_0 \rangle = \sum_{\nu} \langle r_0 \rangle \delta\psi$
 δ
 ϵ
 $-\epsilon$
 ρ
 ν_2

* Lorente & Persson, Phys. Rev. Lett. **85**, 2997 (2000)

Density Functional Calculations:

PW-PAW-GGA (VASP)



IET intensities

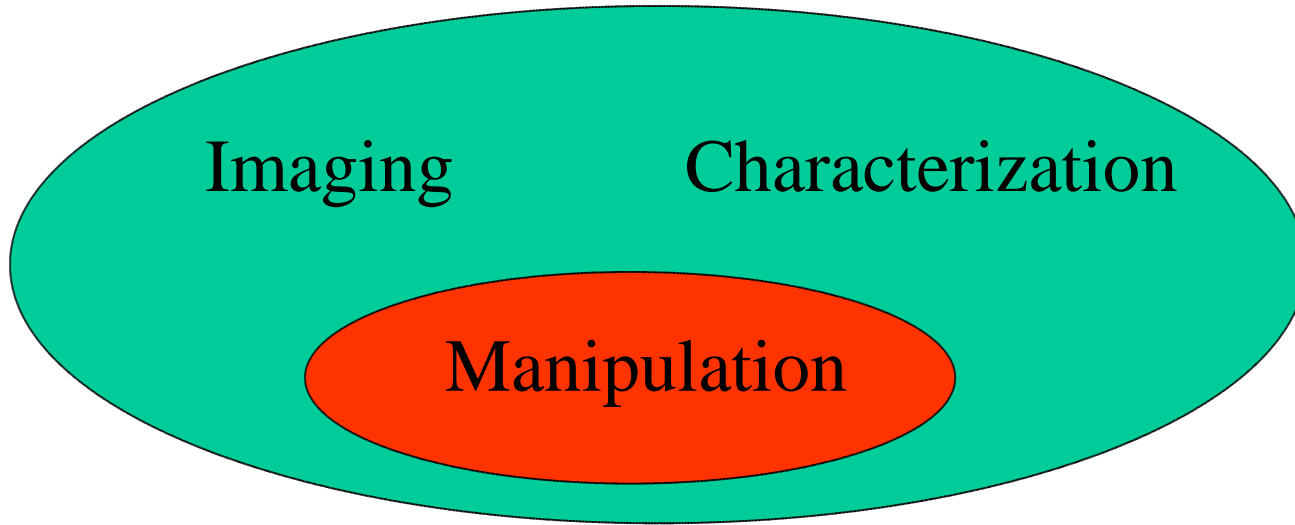
Mode(deg.)	η_{tot} (%)	η_{inel} (%)	η_{el} (%)	$h\Omega$ (meV)
FT(2)	11.8	12.2	-0.3	3.7 (4) ^(a)
FR(2)	15.6 (~8)	16.8	-0.9	34 (35 ^(a) , 36 ^(b))
M	0.6 (ND)	0.7	-0.2	42 (43) ^(b)
I	0.4* (1.5)	0.5	-0.1	253 (258) ^(b)

ND: Not detected; (a) IETS data; (b) IRAS data

Explains why only two vibrational modes (FT&FR) are strong and observed

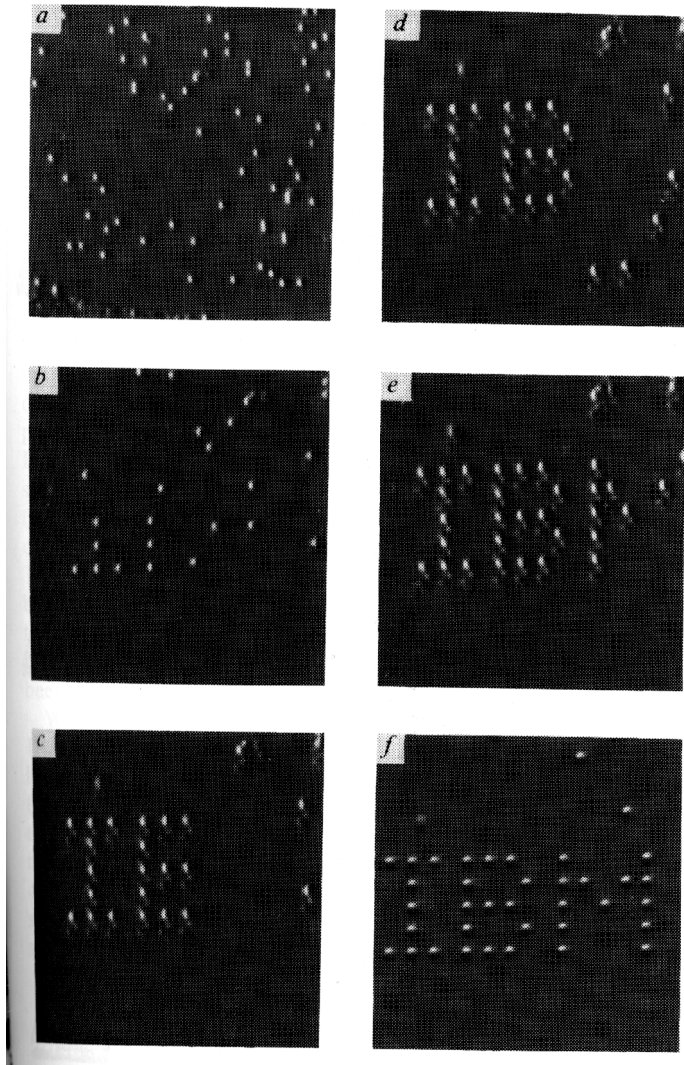
*I mode “dipole” excited not fully included in the theory

“Third Pillar”



- Direct tip-surface interaction either by electric field or chemical interactions
- Bond making and breaking by IET
- Charge control by IET

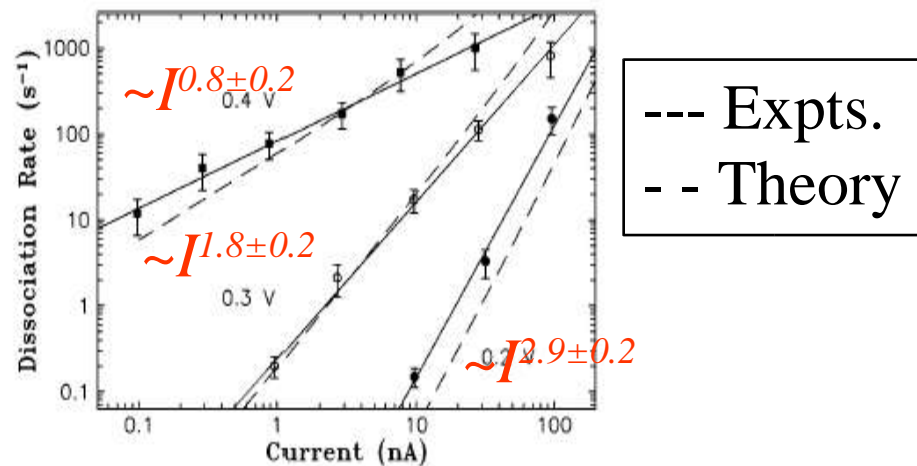
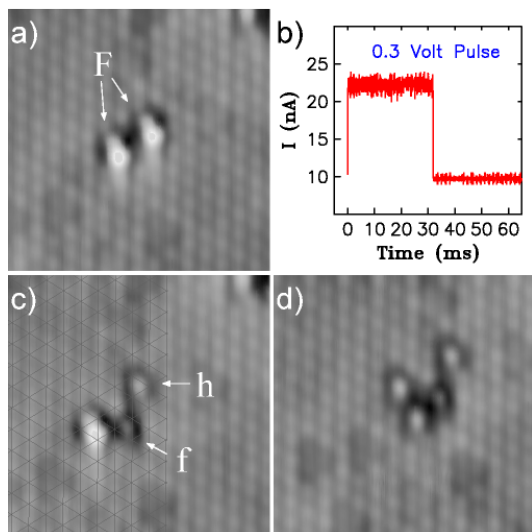
First Controlled Atomic Manipulation*



- Xe atoms adsorbed on Ni(110) at 4K
- Xe atoms dragged by direct tip surface interaction around in a controlled manner

*Eigler&Schweizer, Nature **344** 524 (1990)

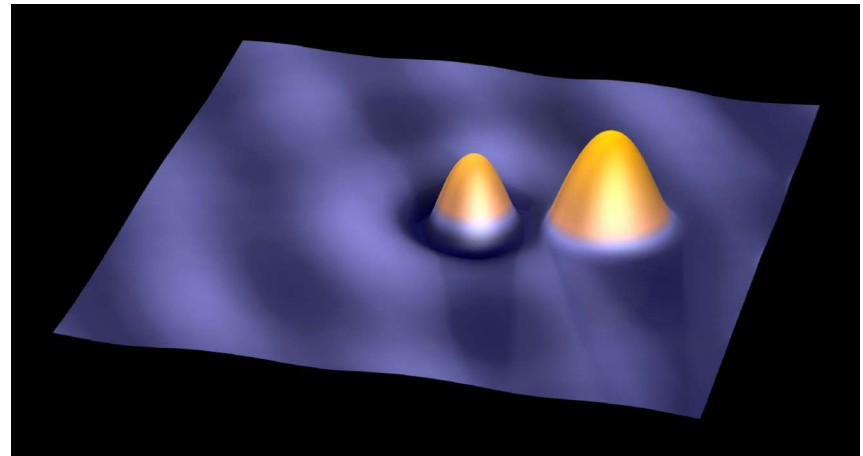
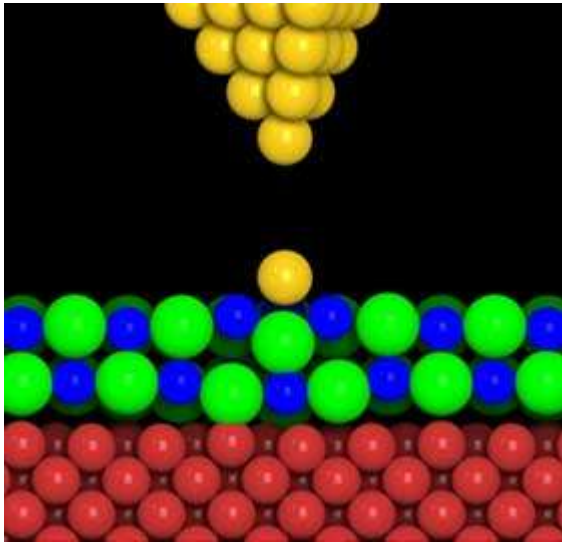
Single Molecule Chemistry: O_2 on Pt(111)*



Inelastic electron tunneling mechanism

*Stipe, Rezaei, Ho, Gao, Lundqvist & Persson, Phys. Rev. Lett. **97**, 4410 (1997)

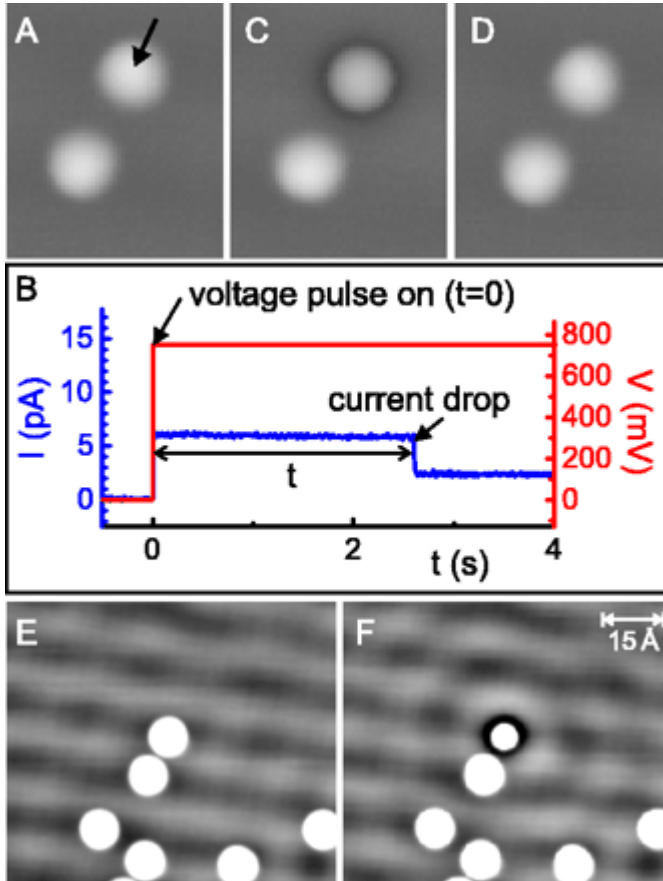
Charge State Control of Single Gold Adatoms*



Single Au atom on an insulating NaCl bilayer supported by
a Cu surface

*Repp, Meyer, Olsson, & Persson, Science **305**, 493 (2004)

Manipulation of Au adatom by a Voltage/Current Pulse

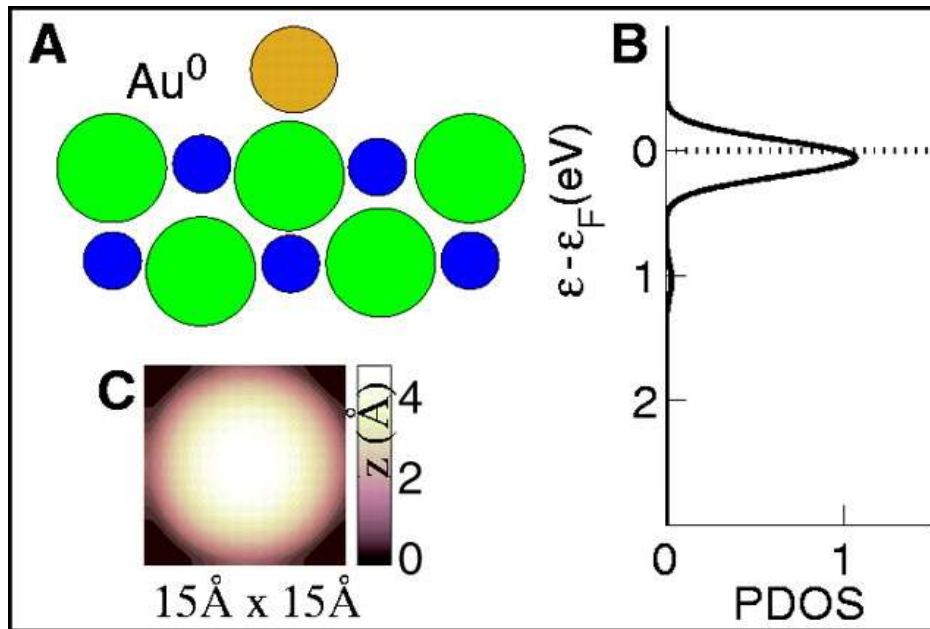


- Shape of STM image changed *reversibly* by voltage pulse and tunneling current
- Manipulated adatom scatter interface state with no bound states and is repelled by positive sample bias => **Negatively Charged !?**
- Both states are stable and have different diffusion coefficients

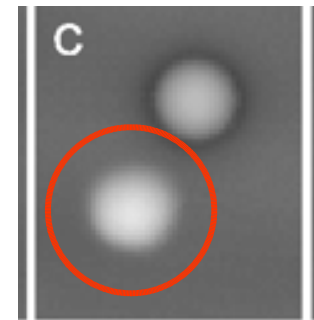
Au atom on NaCl bilayer supported by a Cu(111) surface

Physical Origin of Charge Bistability ?

Density functional theory calculations: Au atom on a NaCl bilayer supported by a Cu(100) surface (177 atoms)

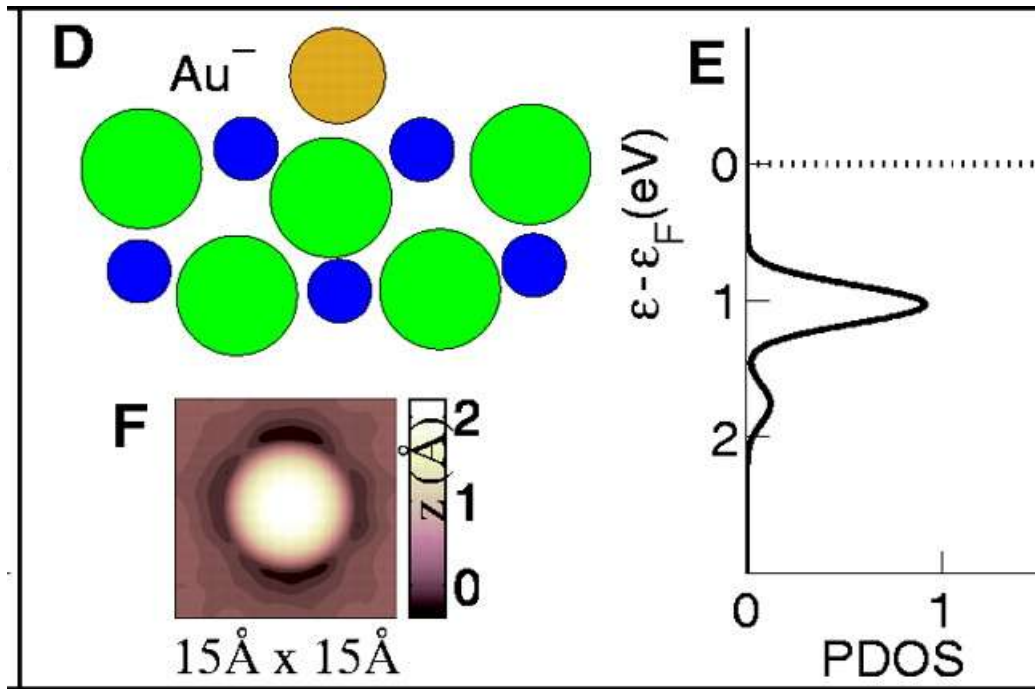


Original Au state

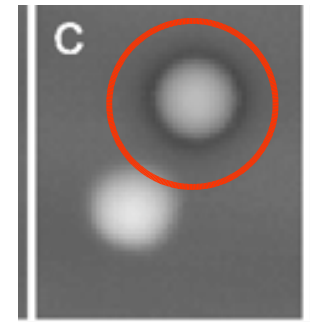


- Nearly half-filled $6s$ resonance*
- LDOS image in qualitative but not quantitative agreement with STM image

*Broadening artificial and not resolved in the calculation



Manipulated Au state



- Fully occupied $6s$ resonance*
- Large ionic relaxations key mechanism behind stabilization of negative Au ion
- LDOS image in quantitative agreement with STM image

*Broadening artificial and not resolved in the calculation

Origin of large ionic relaxations ?

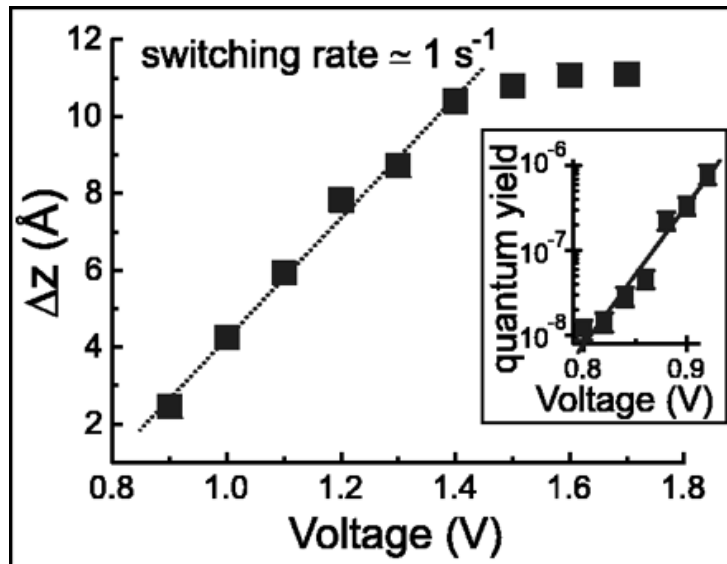
Alkali-halides such as NaCl and also other polar materials have a large ionic polarizability: $\epsilon_0 - \epsilon_\infty$

Material	ϵ_0	ϵ_∞
NaCl	5.9	2.0
NaBr	6.3	2.6
LiI	16.9	3.8
α -Al ₂ O ₃	11.6	3.1

- So NaCl is not unique !
- Is the Au atom unique ?

Mechanism behind charge state control ?

Δz is the tip-retraction distance to keep a switching rate $\sim 1/s$

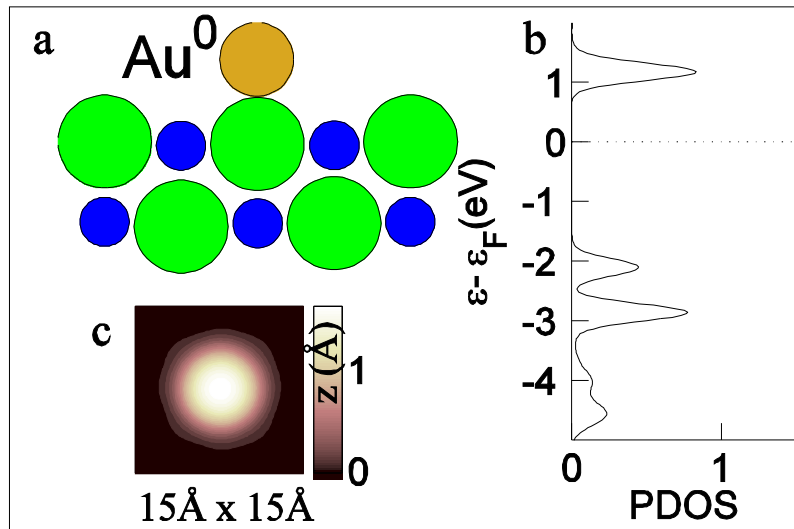


- Yield saturates at 1.4V bias
- Simple estimate of tunneling current suggests a saturation yield of order unity: **one switching event per tunneling electron !!**

Tunneling electron attachment to a negative Au ion resonance a $\sim 1.4 \text{ eV}$!

Nature of the negative Au ion resonance ?

- Negative ion resonances poorly described by the unoccupied Kohn-Sham states of the neutral adatom.
- "poor man's" description: U coulomb interaction term



- Negative ion resonance at $\sim 1.1 \text{ eV}$ derives from Au atom affinity level, which is unusually large
- STM image in quantitative agreement

Concluding Remarks

- The fiction of controlling matter at the atomic scale is becoming a reality -- molecular devices (nanomachines) for catalysis, sensors, computing, etc
- Theory play an important role in developing new concepts and physical understanding through large scale computer simulations and simple modeling:
 - STM images
 - Single molecule vibrational spectroscopy by inelastic electron tunneling
 - Charge state control

Acknowledgments

Theory:

Nicolas Lorente, *U. de Paul Sabatier, Toulouse*

Fredrik Olsson and Sami Paavilainen, *Chalmers/GU*

Experiments:

Wilson Ho, *UC Irvine*

Jascha Repp and Gerhard Meyer; *IBM Zurich*

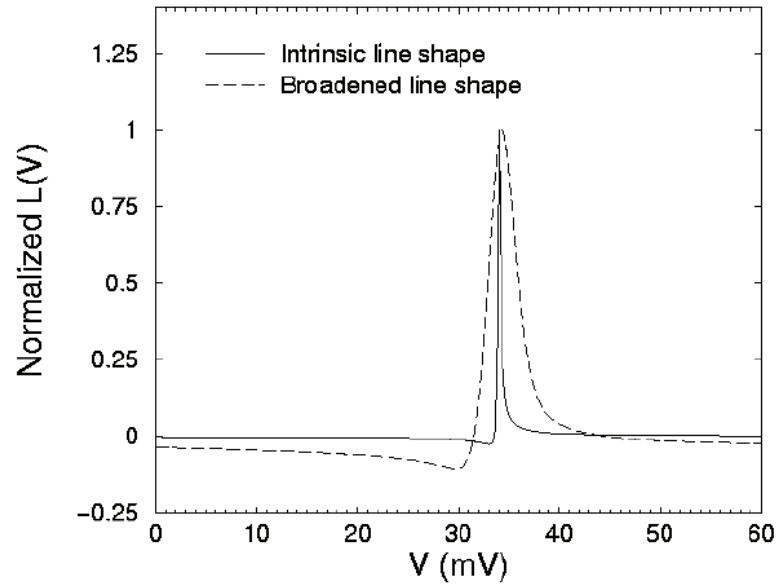
Funding:



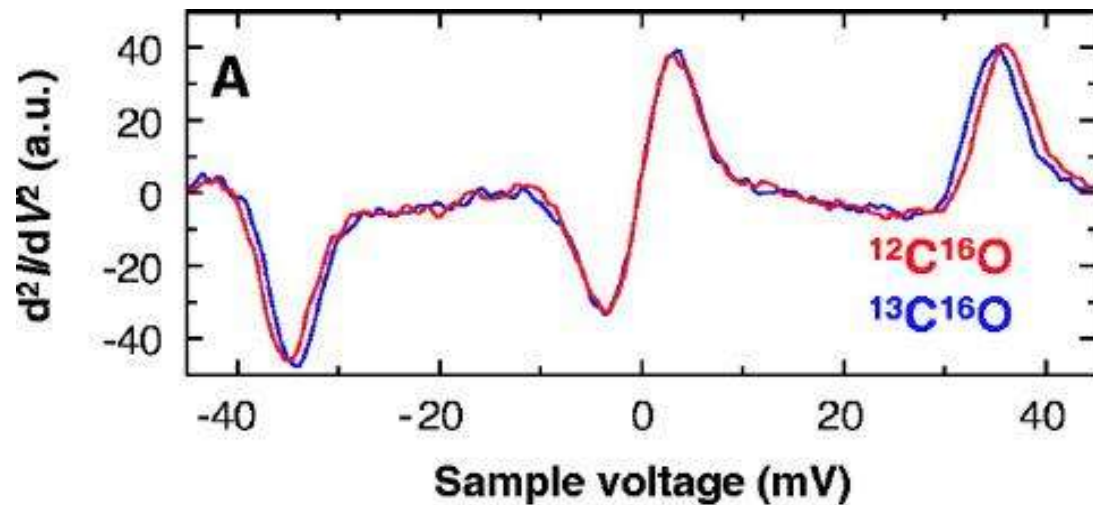
Research
Training Networks



Simulated IET Spectrum of FR mode



$\gamma_{eh} = \gamma$
Modulation 1mV_{RMS}
and $T = 5\text{K}^*$



*A. Heinrich (private communication)